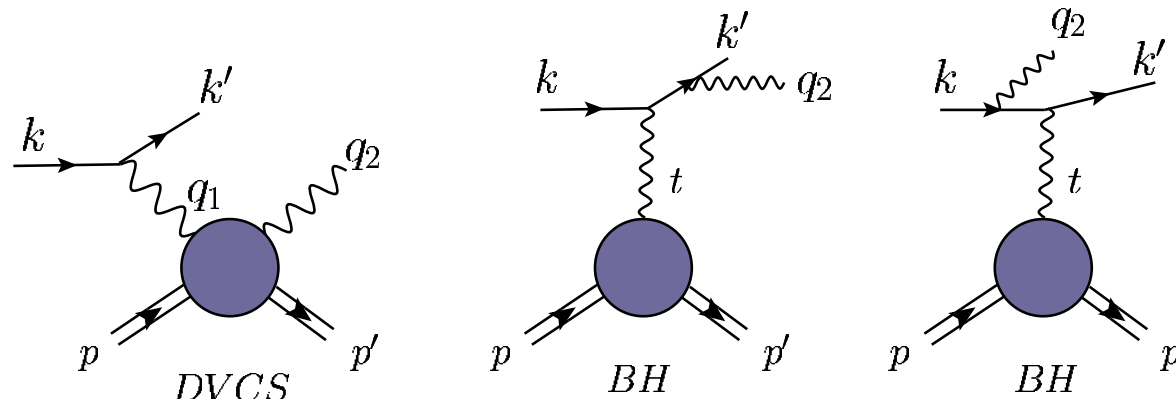


DVCS at an Electron Ion Collider



Salvatore Fazio
Brookhaven National Laboratory
Upton, New York



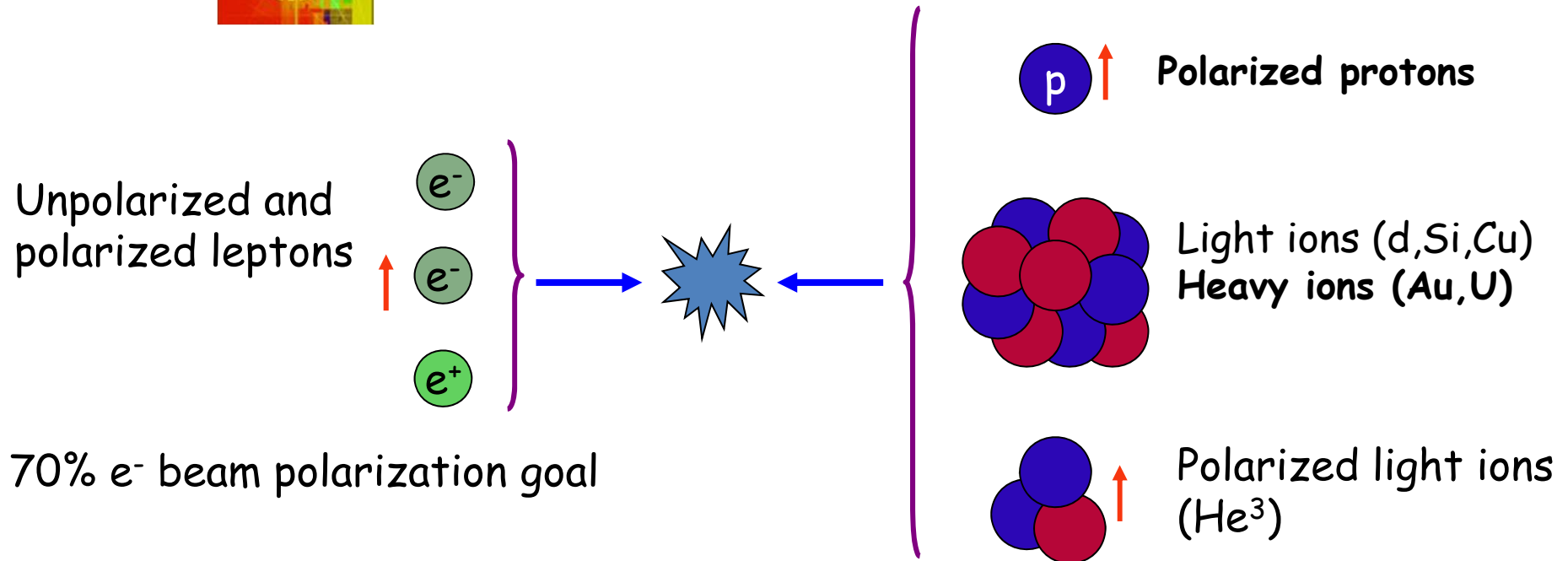
International workshop on
Deeply Virtual Compton Scattering: From Observables to GPDs
Ruhr-Universität Bochum, February 10-12, 2014

Plan of the talk

- The EIC Machine designs
- Measuring DVCS @ EIC
 - Bethe-Heitler subtraction
 - Account for Initial State Radiation
 - White Paper results and more
- How luminosity hungry we are?
- Requirements for an ideal EIC detector
- Summary

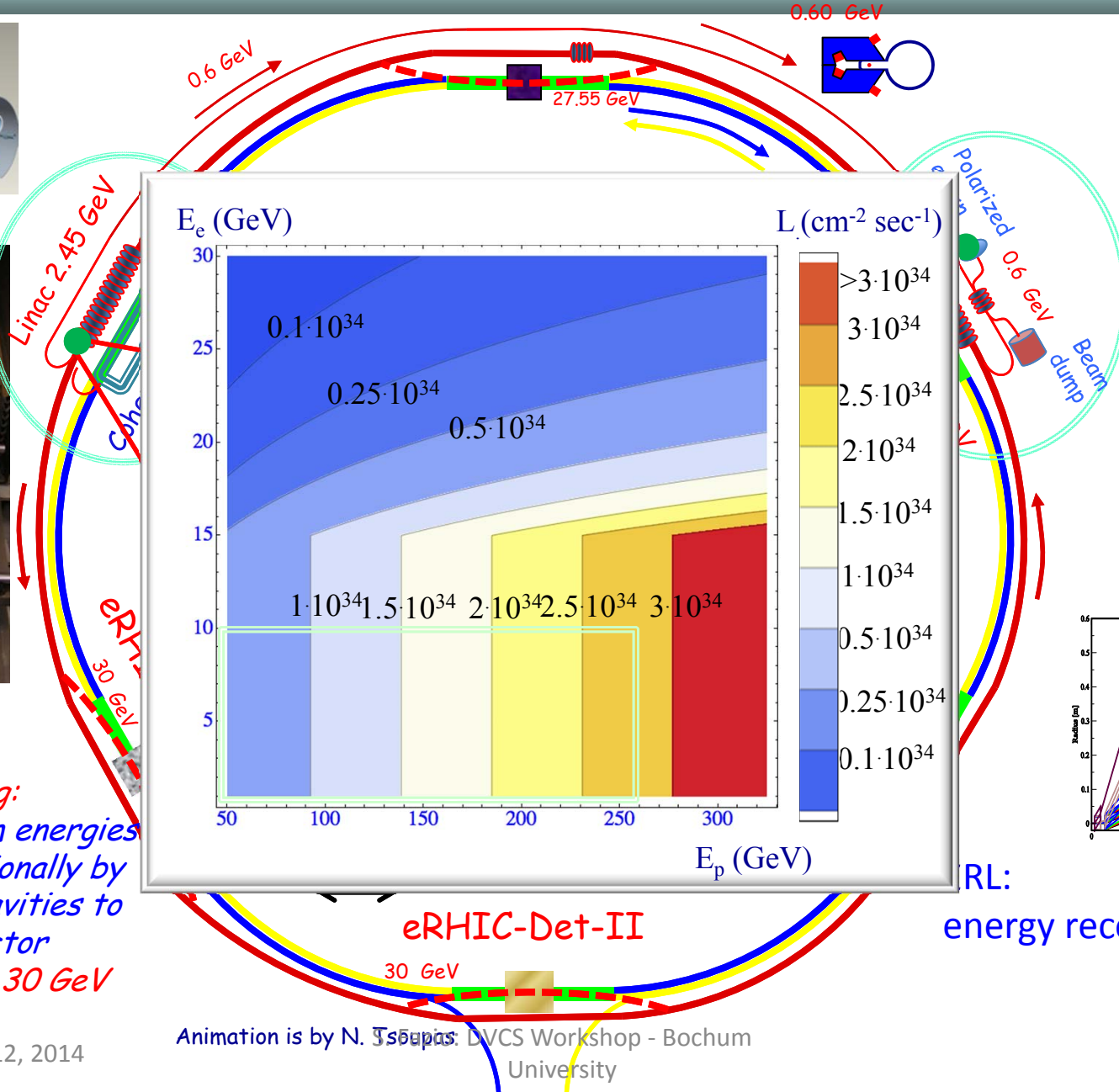
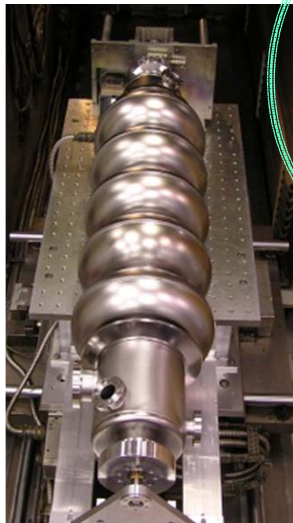
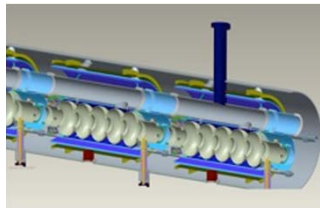
The EIC idea

Electron Ion Collider project (EIC) -> 2 options: Brookhaven National Laboratory (eRHIC)
Thomas Jefferson National Laboratory (ELIC)



Mission: Studying the Physics of Strong Color Fields

The eRHIC project



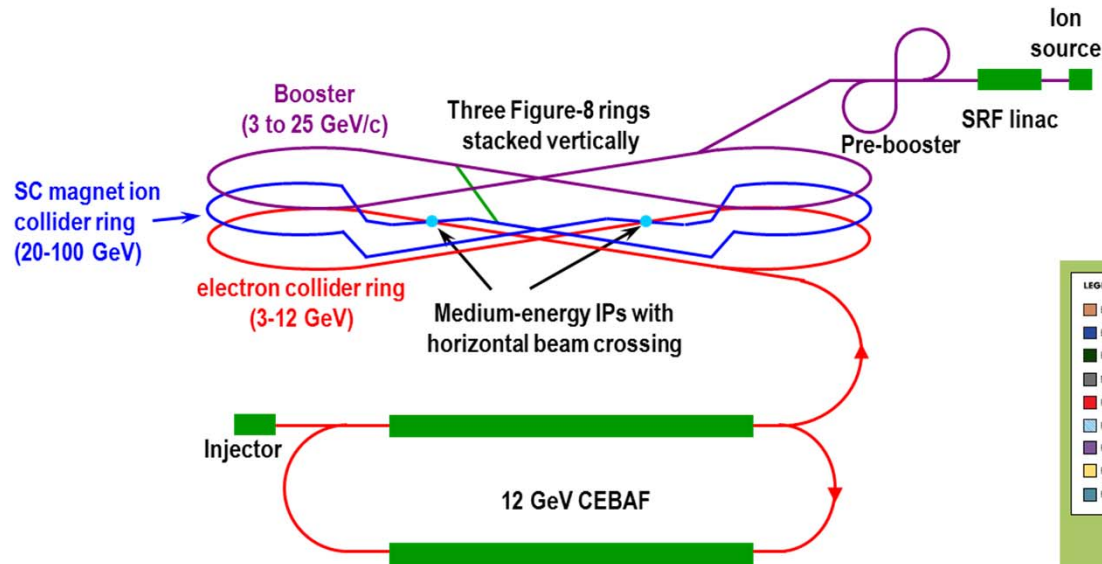
Staging:
All lepton beam energies
scale proportionally by
adding SRF cavities to
the injector
 $E_0 = 5, 10, 20, 30$ GeV

RL:
energy recovery linac

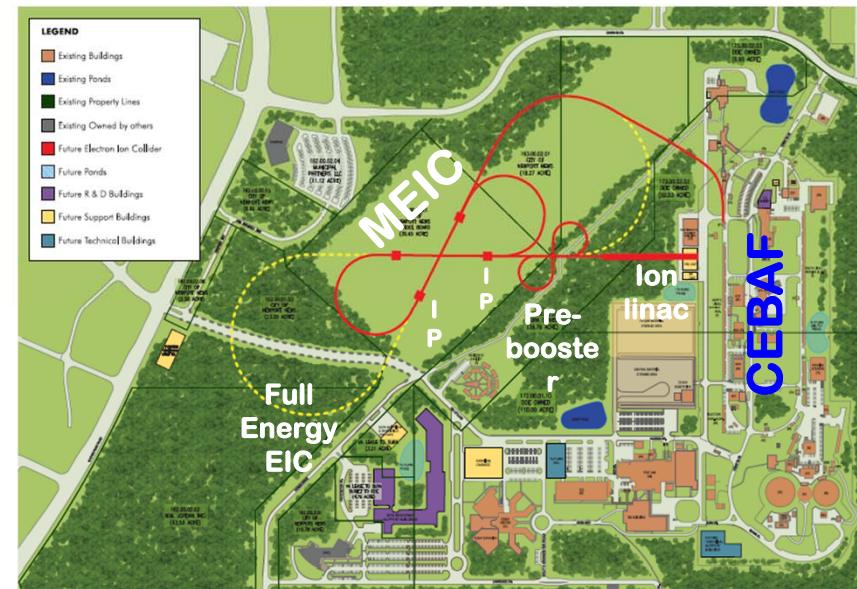
February 10-12, 2014

Animation is by N. Tsoupas: DVCS Workshop - Bochum University

Medium Energy EIC @ JLab



MEIC



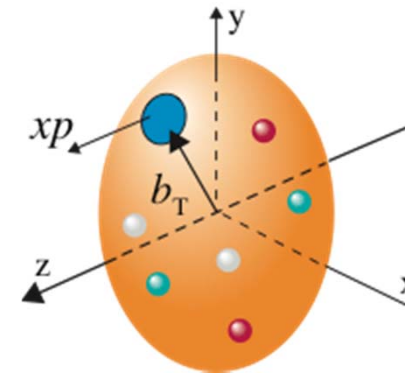
JLab Concept:

- Initial configuration (MEIC):
 - 3-11 GeV on 20-100 GeV ep/eA collider
 - fully-polarized, longitudinal and transverse
 - luminosity: up to $\text{few} \times 10^{34} \text{ e-nucleons cm}^{-2} \text{ s}^{-1}$
- Upgradable to higher energies
- 250 GeV protons + 20 GeV electrons

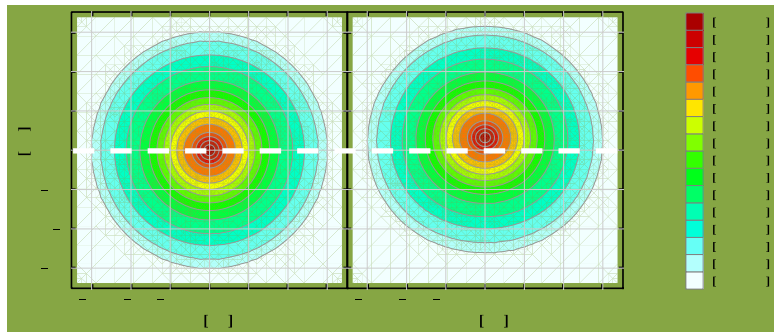
(2+1)-Dimensional imaging of the proton

Open questions:

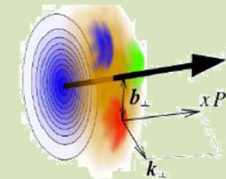
- ⊙ PDFs do not resolve transverse coordinate or momentum space
- ⊙ In a fast moving nucleon the longitudinal size squeezes like a 'pizza' but transverse size remains about 1 fm



Goal: nucleon tomography!



Proton imaging



what is the spatial distribution of quarks and gluons in nucleons/nuclei

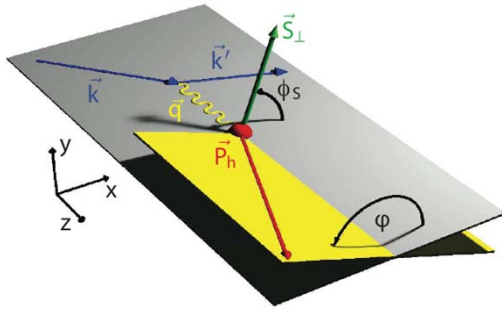


Possible window to orbital angular momentum

Accessing the GPDs

$$\frac{d\sigma}{dt} \sim A_0 \left[|H|^2(x, t, Q^2) - \frac{t}{4M_p^2} |E^2|(x, t, Q^2) \right]$$

Dominated by **H**
slightly dependent on **E**



$$\varphi = \phi_h - \phi_l$$

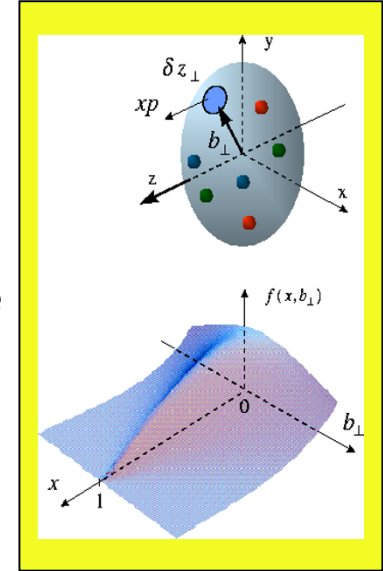
Angle btw the production
and scattering planes

$$\varphi_s = \Phi_T - \phi_h$$

Angle btw the scattering plane
and the transverse pol. vector

$$A_C = \frac{d\sigma^+ - d\sigma^-}{d\sigma^+ + d\sigma^-} \propto \text{Re}(A)$$

Requires a positron
beam at eRHIC



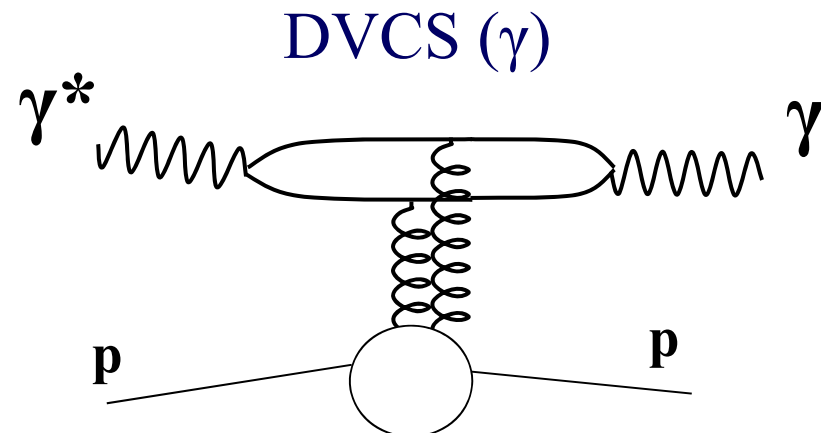
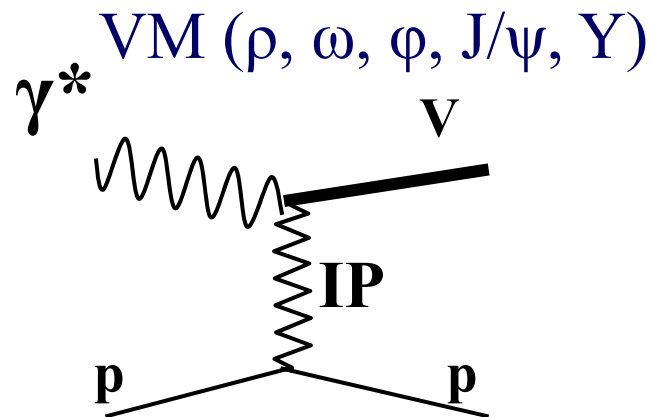
$$A_{LU} \propto y \left[F_1(t) H(\xi, \xi, t, Q^2) - \frac{t}{4M^2} F_2(t) E(\xi, \xi, t, Q^2) + \dots \right]$$

Dominated by **H**
slightly dependent on **E**

$$A_{UT} \propto \sqrt{\frac{-t}{4M^2}} \left[F_2(t) H(\xi, \xi, t, Q^2) - F_1(t) E(\xi, \xi, t, Q^2) + \dots \right]$$

$\sin(\Phi_T - \phi_N)$
governed by **E** and **H**

Deeply Virtual Compton Scattering



Scale: $Q^2 + M^2$

Q^2

Q^2 gives the
lever arm

DVCS properties:

- Similar to VM production, but γ instead of VM in the final state
- Very clean experimental signature
- Not affected by VM wave-function uncertainty
- Hard scale provided by Q^2
- Sensitive to both quarks and gluons

A GOLDEN MEASUREMENT!



for the EIC pp physics case

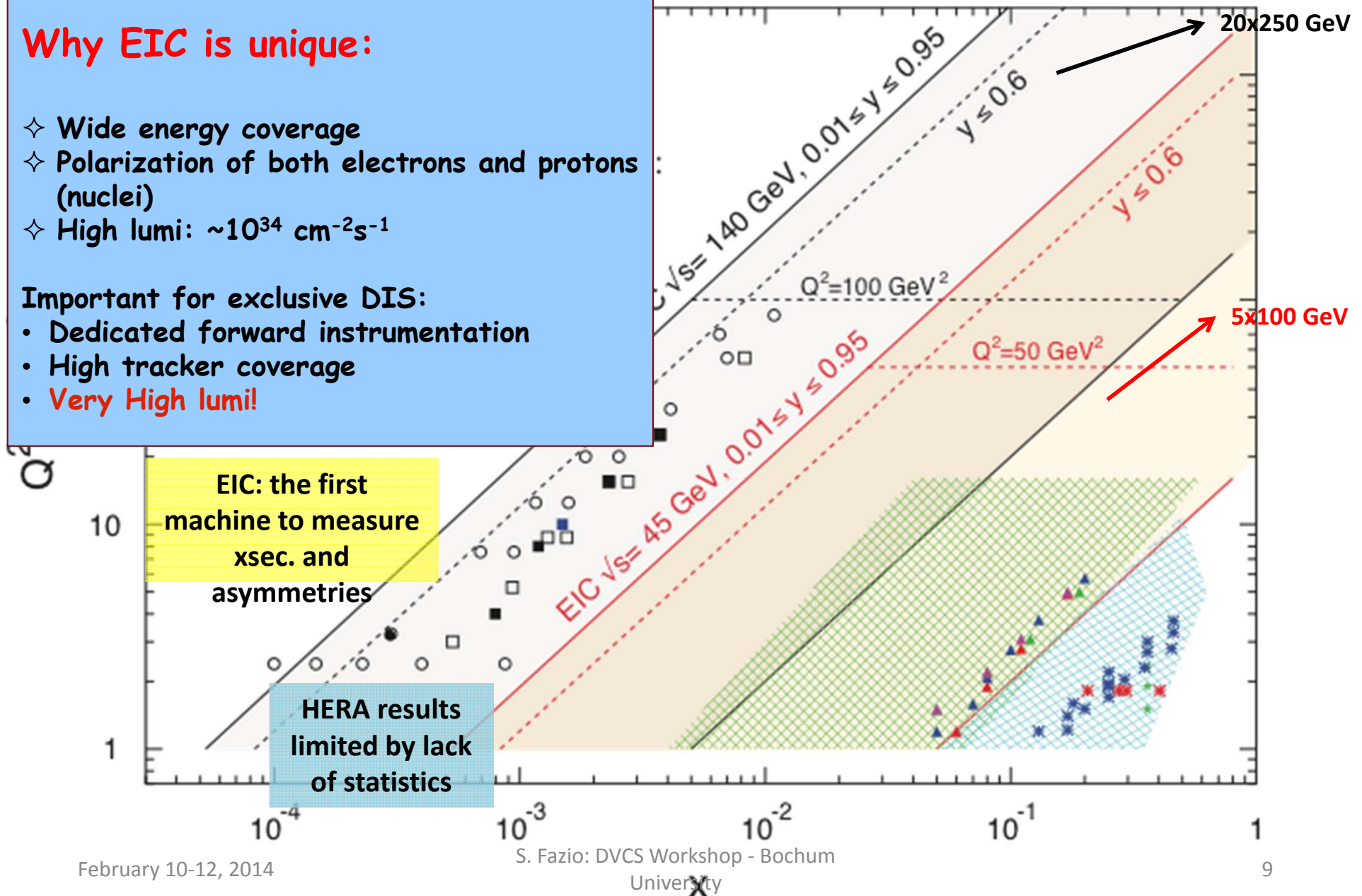
DVCS at EIC

Why EIC is unique:

- ✧ Wide energy coverage
- ✧ Polarization of both electrons and protons (nuclei)
- ✧ High lumi: $\sim 10^{34} \text{ cm}^{-2}\text{s}^{-1}$

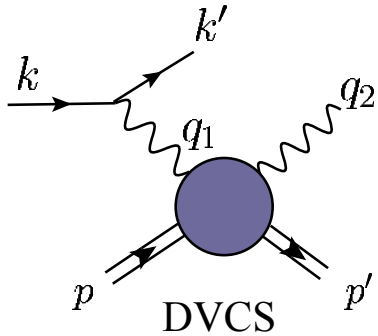
Important for exclusive DIS:

- Dedicated forward instrumentation
- High tracker coverage
- **Very High lumi!**

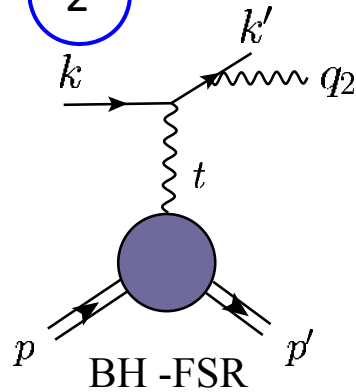


Processes to be considered

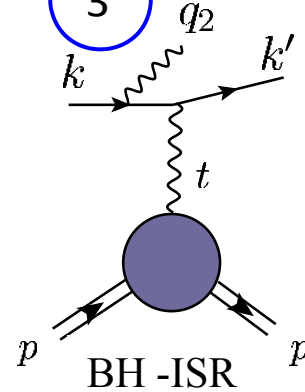
1



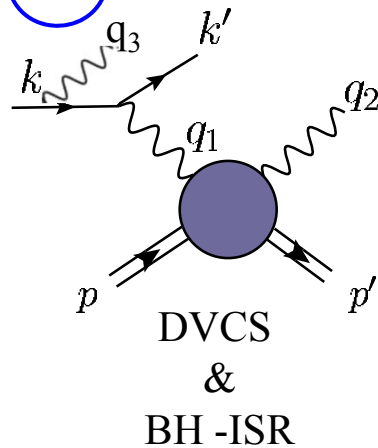
2



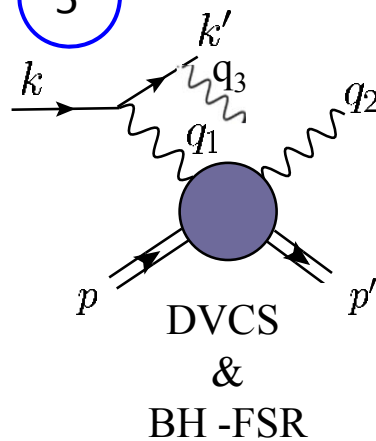
3



4



5



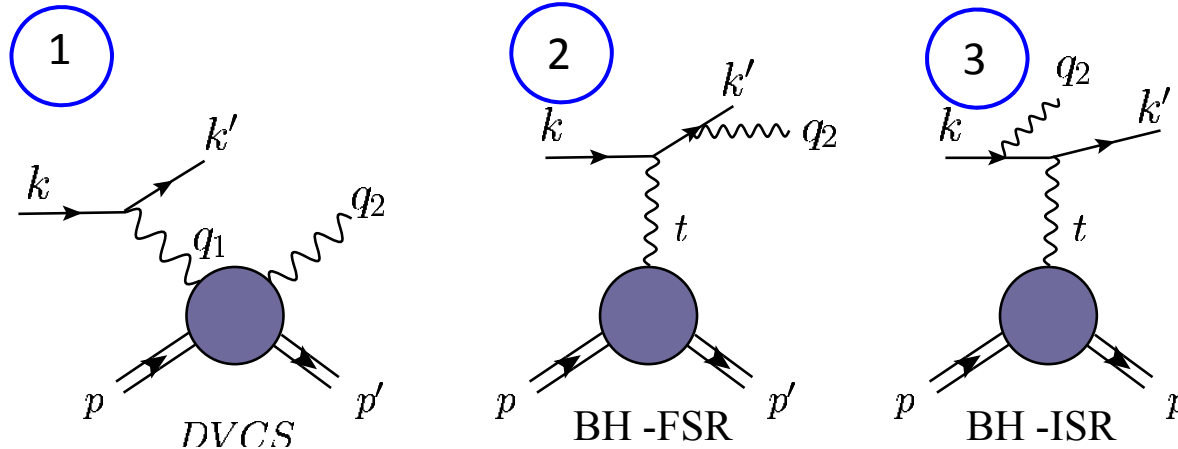
DVCS and Bethe-Heitler have the same final state topology

$$d\sigma \sim |\mathcal{A}_{DVCS} + \mathcal{A}_{BH} + \mathcal{A}_{INT}|$$

The relevant processes are:

- DVCS (1)
- BH initial (3) and final (2) state rad.
- ISR (4) and FSR (5) in DVCS

DVCS - BH

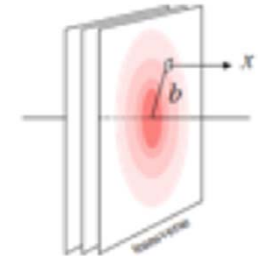


$$\frac{d\sigma}{dx dy d|t| d\phi d\varphi} = \frac{\alpha^3 x_B y}{16|e^3| \pi^2 Q^2 \sqrt{1+\varepsilon^2}} |\mathcal{A}_{DVCS} + \mathcal{A}_{BH} + \mathcal{A}_{INT}|$$

➤ **|t|-differential cross section is a very powerful tool**

- Gives precise access to GPD H
- Fourier transform -> direct imaging in impact parameter space

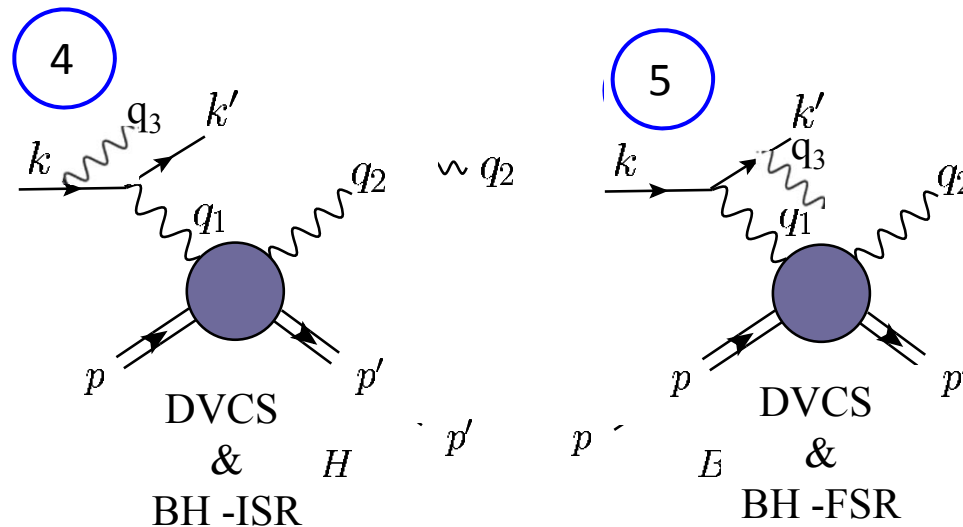
$$q(x, b^2) \approx \int dt e^{-ibt} \frac{d\sigma}{dt}$$



➤ DVCS cross section measurement -> BH must be removed [uncertainty on BH xsec ~ 3%]

➤ Asymmetry measurement -> BH must be part of the sample (we need the interference term)

What can be done experimentally to suppress BH



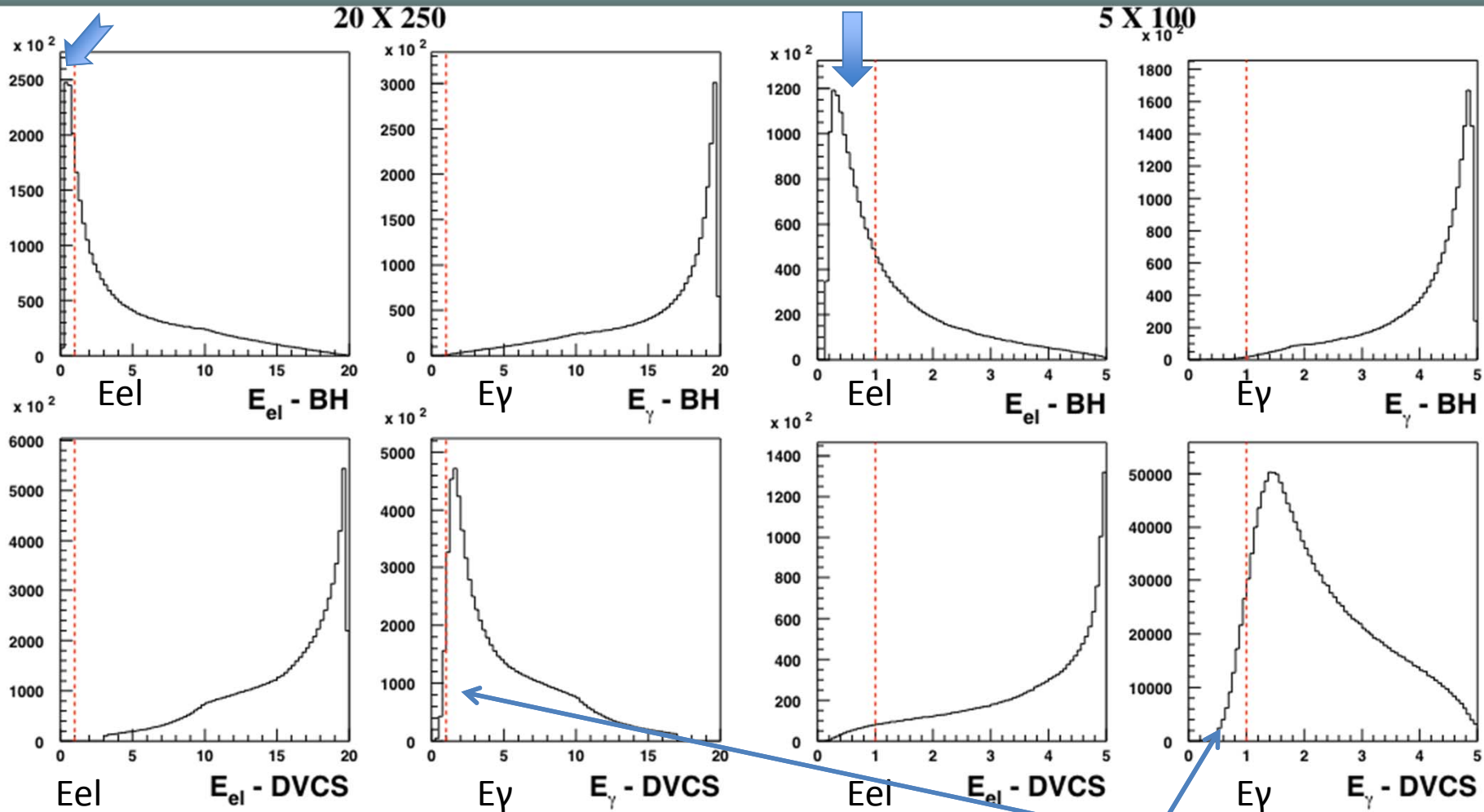
process 4:(ISR):

- The photon is collinear to the outgoing scattered lepton
 the lepton bands little in magnetic field, EM-cluster of
 → photon and lepton collapse to one
 → this causes a correction of the kinematics (X and Q^2)
 and some systematic uncertainty
 ❖ if photon and lepton are separated enough in
 magnetic field the cuts on slides 10 & 11 help to
 suppress the contribution
 → remaining contribution needs to be estimated
 by MC and subtracted

process 3:(FSR):

- The photon is collinear to the incoming beam and goes
 down the beam line (event will not pass selection
 criteria)
 → no contribution (total electron energy
 measured correctly)
 ❖ if photon and lepton are separated enough in
 magnetic field, it leads to 3 EM-clusters in event
 → no contribution (event will not pass DVCS
 selection criteria)

BH rejection



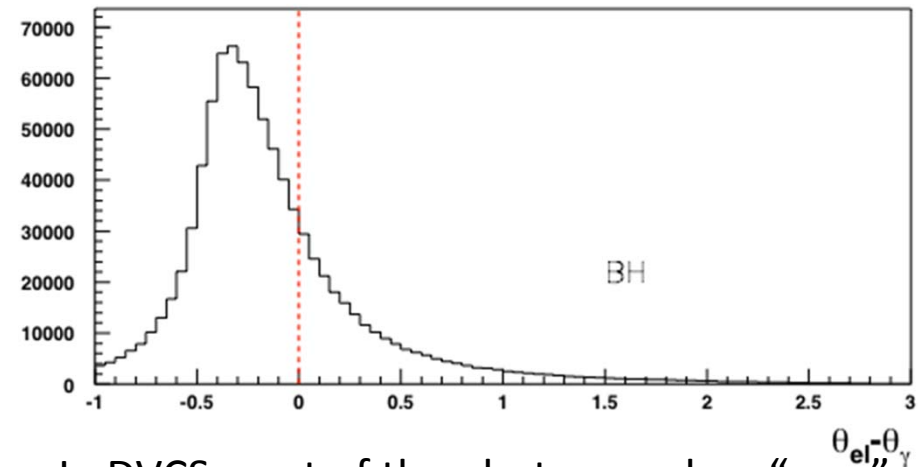
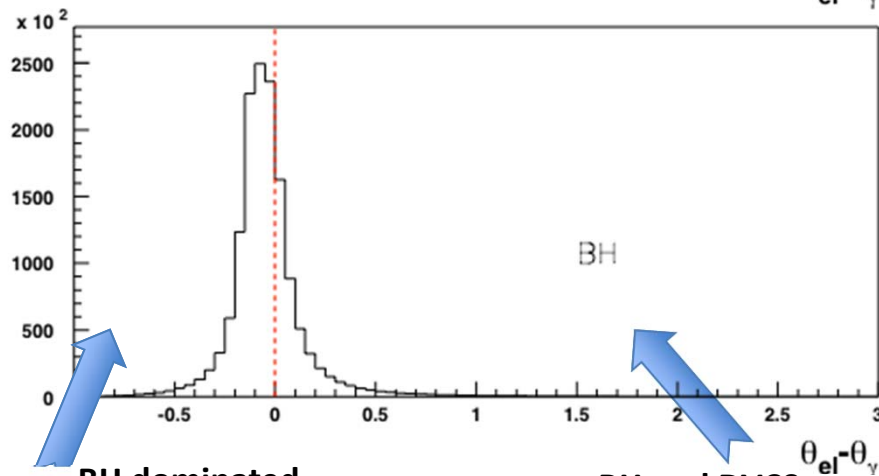
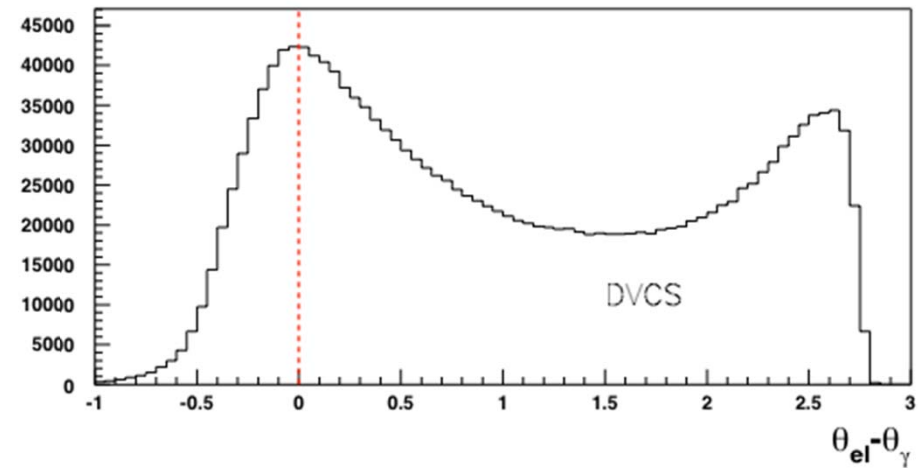
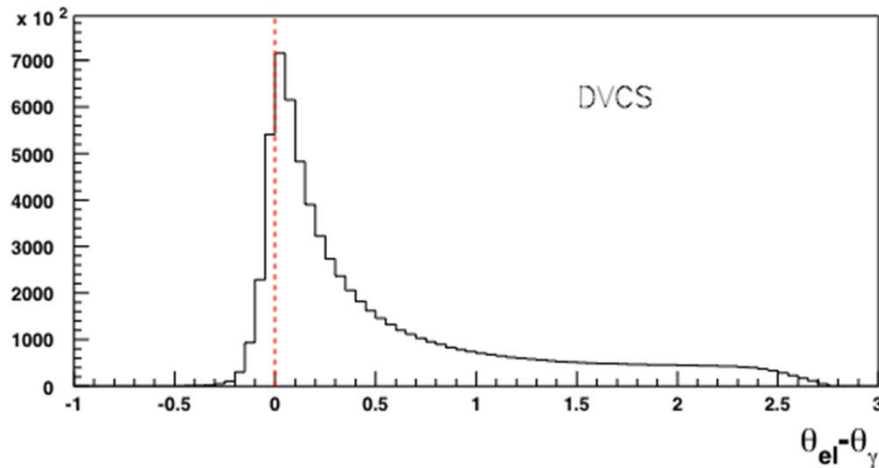
1. BH electron has very low energy (often below 1 GeV)
2. Photon for BH (ISR) goes often forward (through the beam pipe)

Important: em Cal must discriminate clusters above noise down to 1 GeV

BH rejection

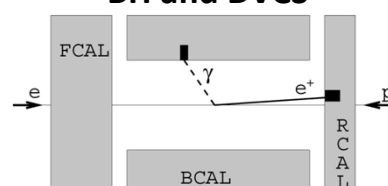
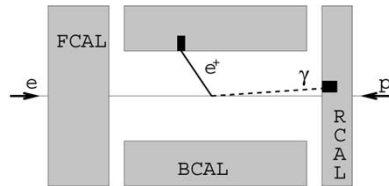
20 X 250

5 X 100



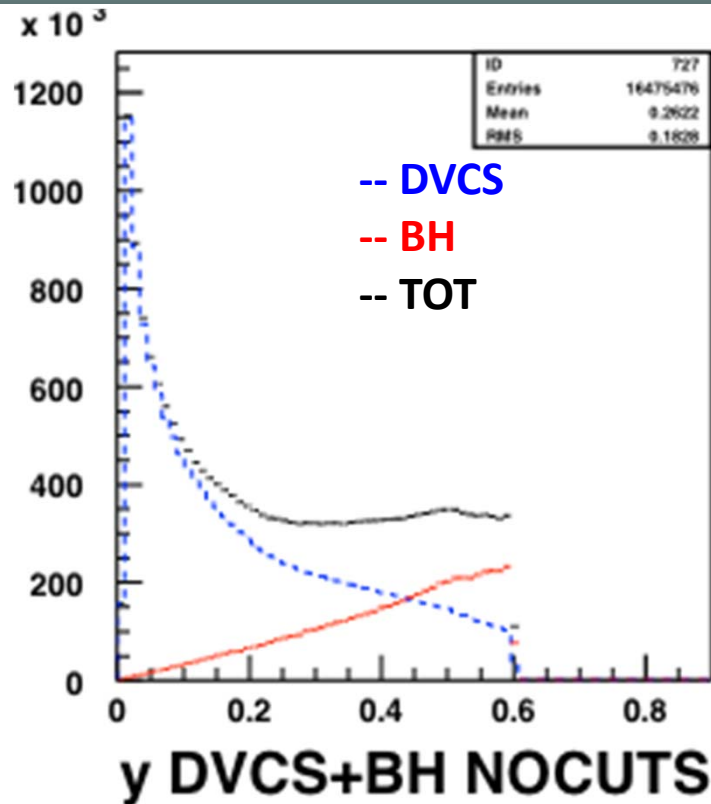
BH dominated

BH and DVCS

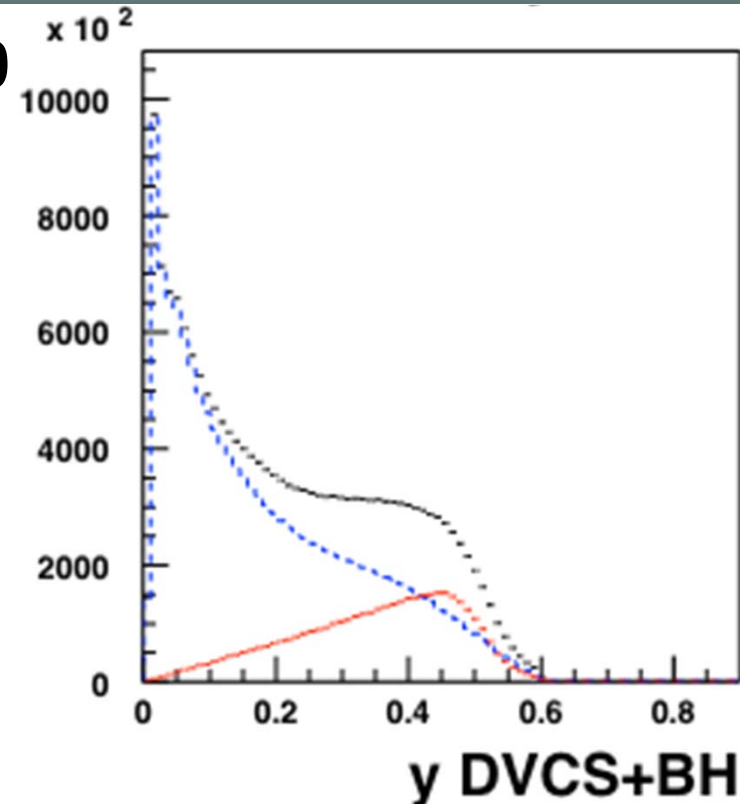


In DVCS most of the photon are less "rear"
Than the electrons:
 $(\theta_{el} - \theta_{\gamma}) > 0 \rightarrow$ rejects most of the BH

BH rejection

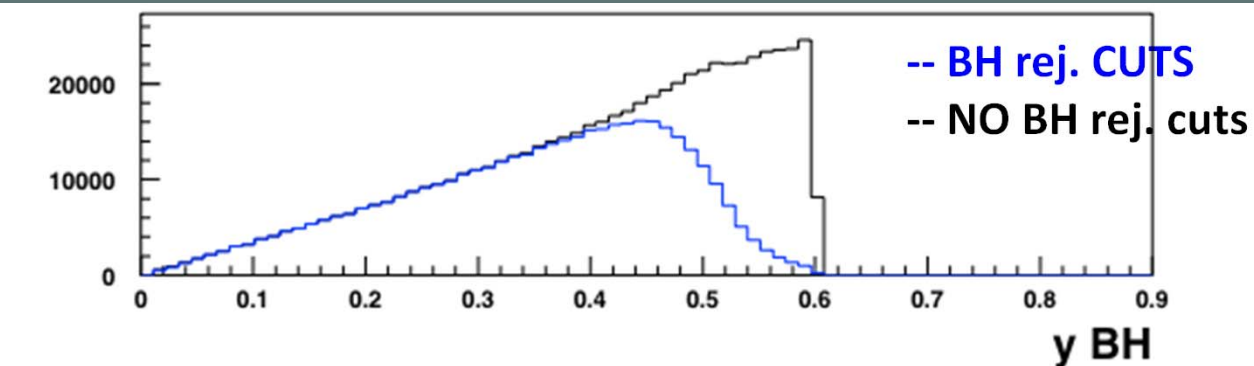


$0.01 < y < 0.6$
 $10^{-4} < x < 0.1$
 $0.01 < |t| < 1.0 \text{ GeV}^2$
 $1.0 < Q^2 < 100 \text{ GeV}^2$
 No BH rejection cuts applied

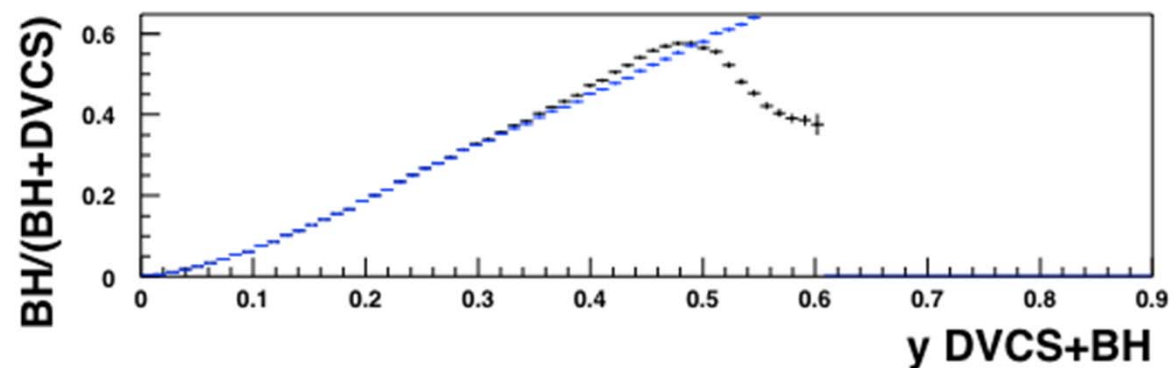
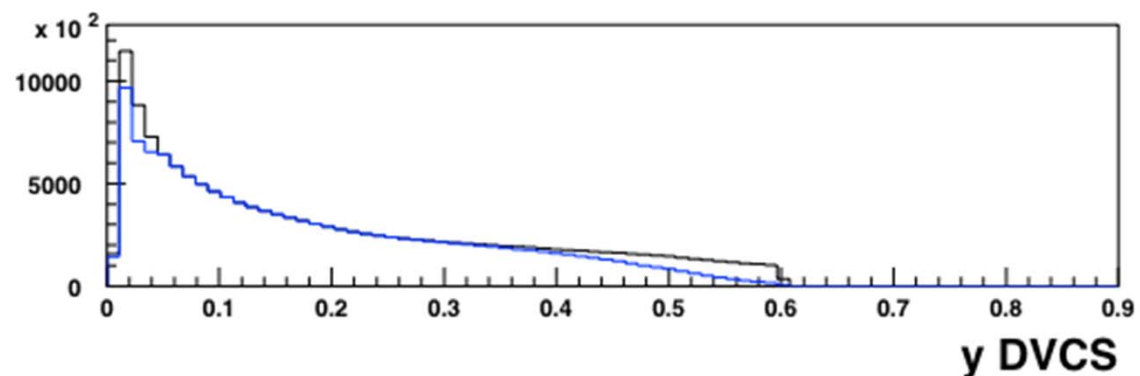


all kinematic cuts applied plus:
 $\text{Theta}_{el} - \text{Theta}_g > 0$
 $\text{Theta}_{el} < \pi - 0.02$
 $\text{Theta}_g < \pi - 0.02$
 $E_{el} > 1 \text{ GeV}$
 $E_g > 1 \text{ GeV}$

BH rejection



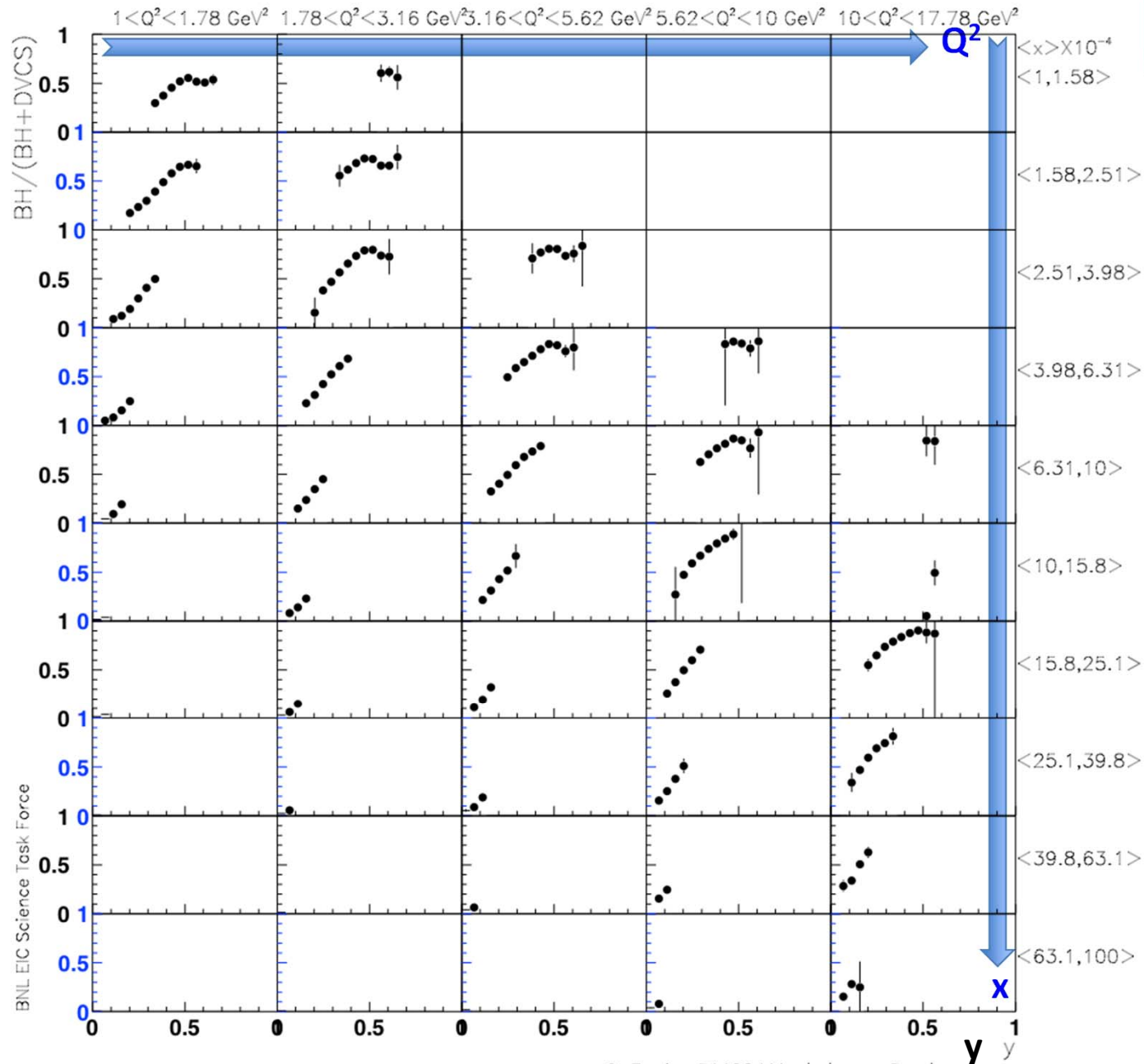
20 x 250 GeV²



cuts keep BH below
60% at large $y > 0.5$

20 X 250

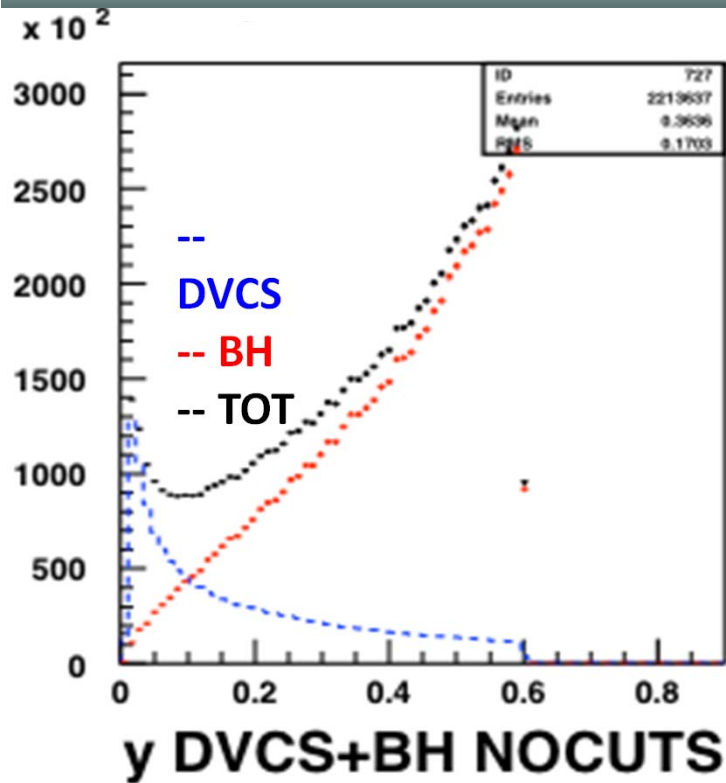
BH fraction



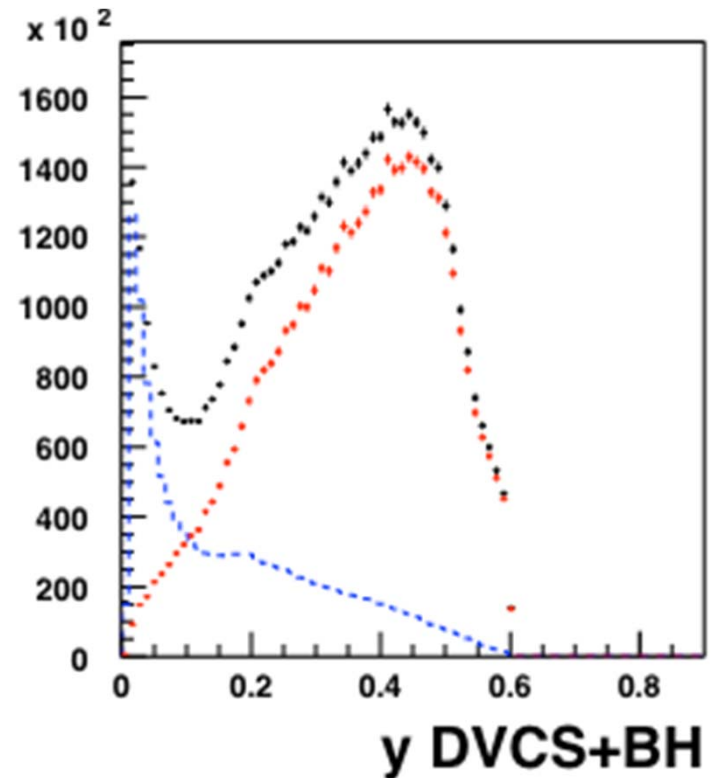
20 x 250 GeV²

**BH subtraction will be
not an issue for $y < 0.6$**

BH rejection



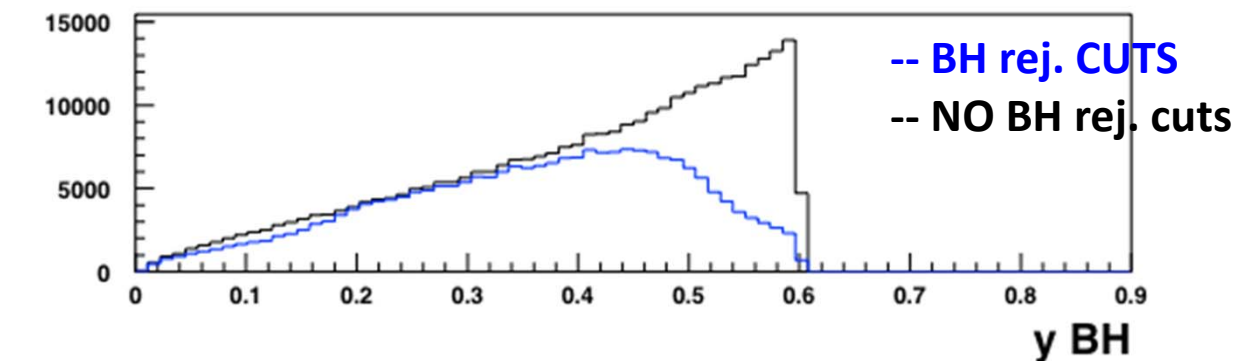
5x100



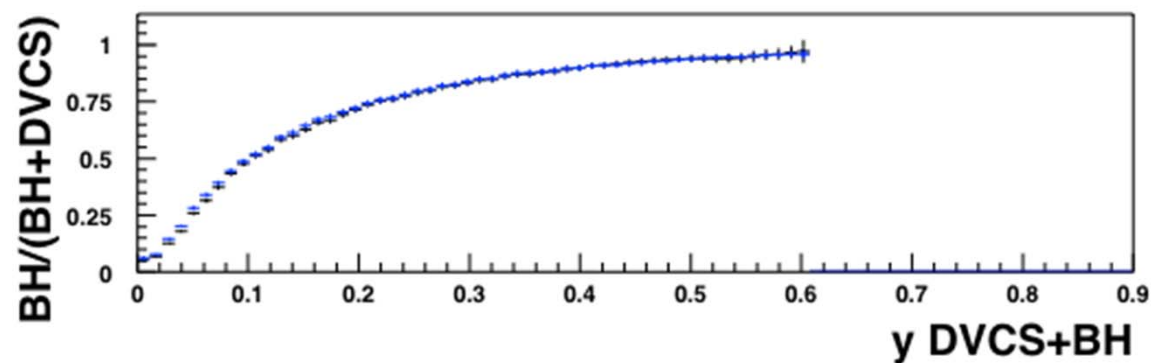
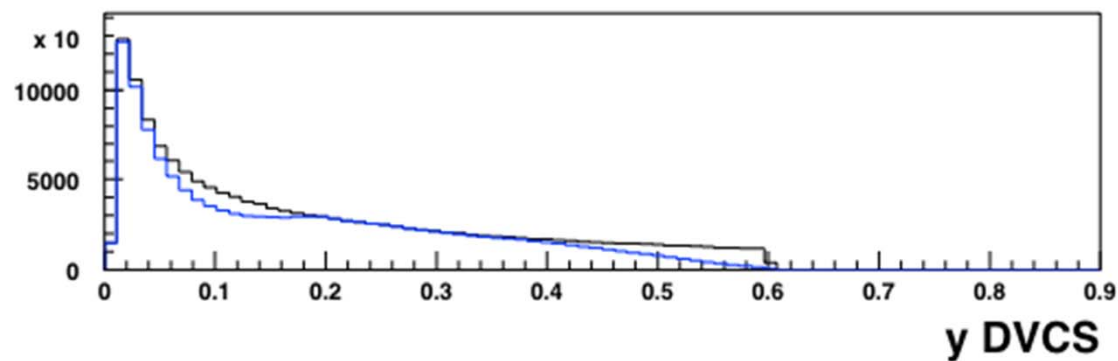
$0.01 < y < 0.6$
 $10^{-4} < x < 0.1$
 $0.01 < |t| < 1.0 \text{ GeV}^2$
 $1.0 < Q^2 < 100 \text{ GeV}^2$
 No BH rejection cuts applied

All kinematic cuts applied plus:
 $\text{Theta}_{el} - \text{Theta}_g > 0$
 $\text{Theta}_{el} < \pi - 0.02$
 $\text{Theta}_g < \pi - 0.02$
 $E_{el} > 1 \text{ GeV}$
 $E_g > 1 \text{ GeV}$

BH rejection



$5 \times 100 \text{ GeV}^2$



BH rejection cut not
very effective at low
energies

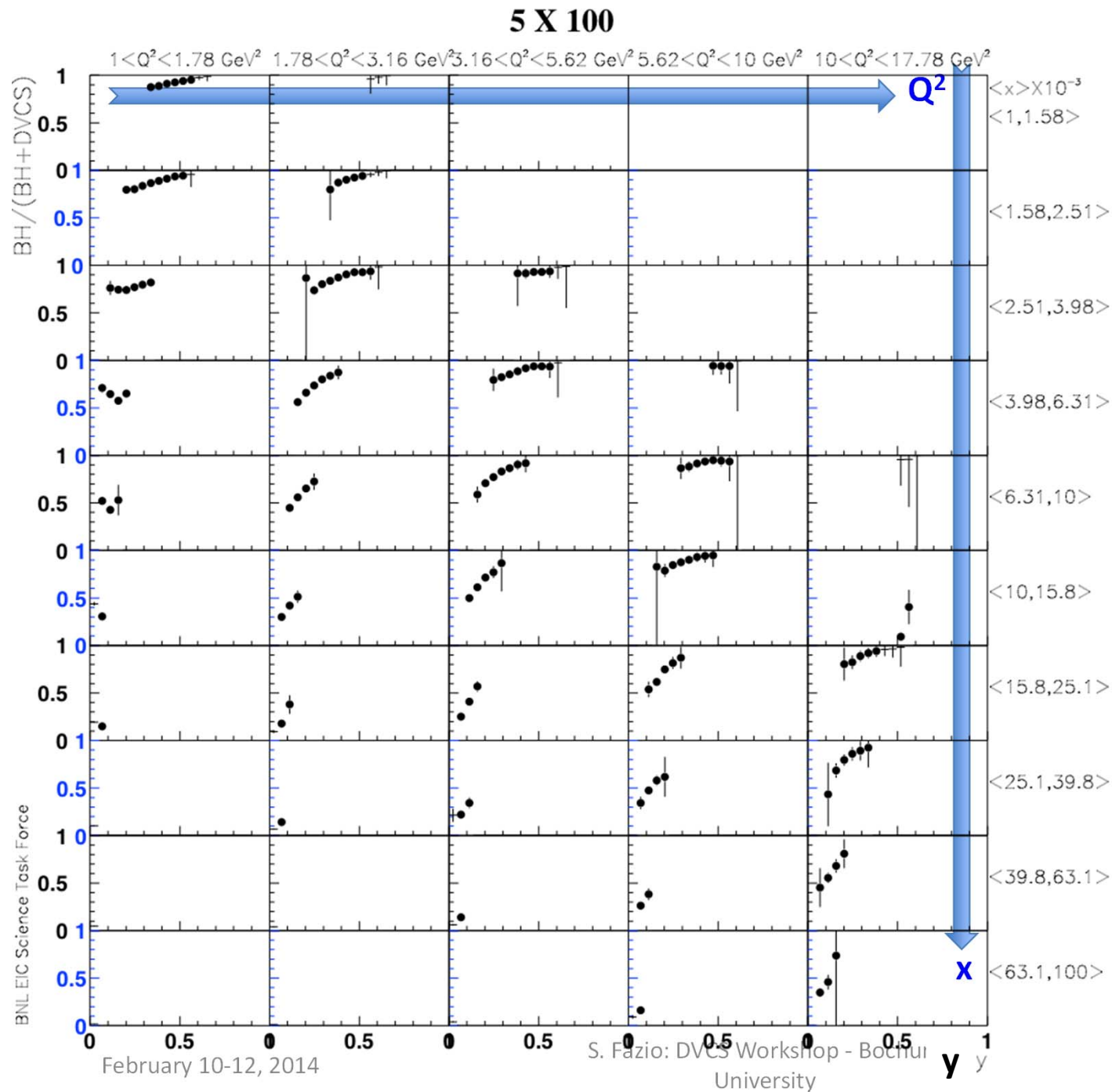
BH fraction

5 x 100 GeV²

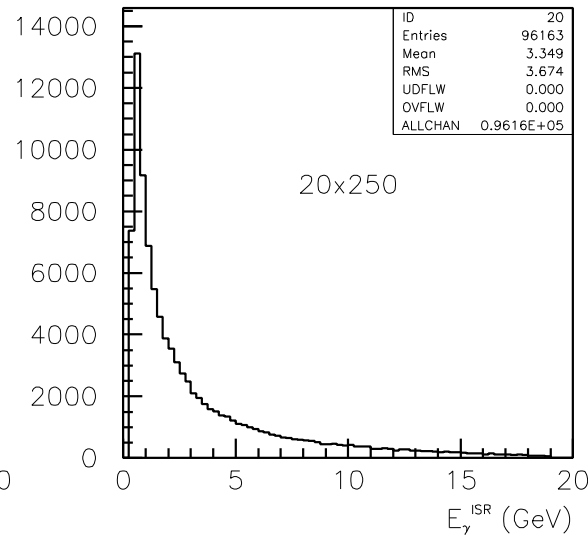
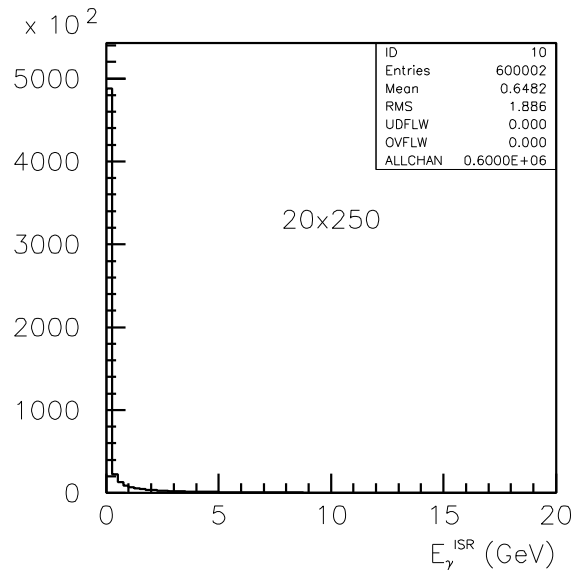
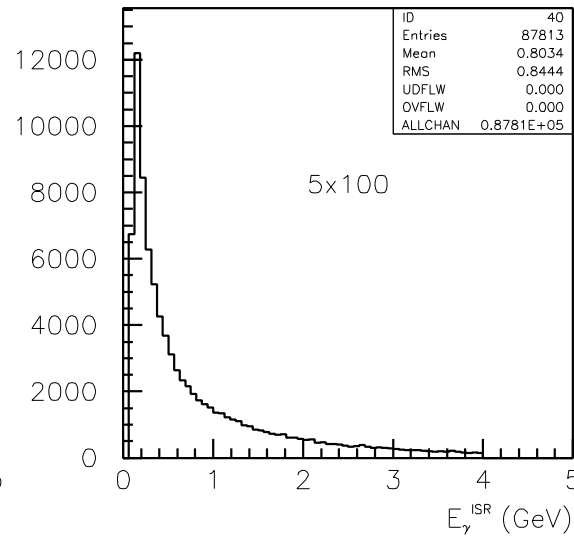
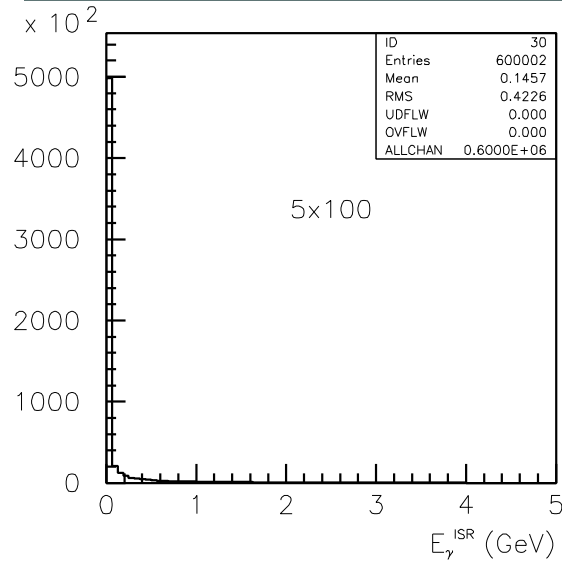
BH subtraction will be relevant at low beam-energies, at large y, depending on the x-Q² bin

BUT...

Stage 1-2 overlapping:
x-sec. measurements in stage 2 at low-y can cross-check the BH subtrac. made in stage 1



Contribution from ISR

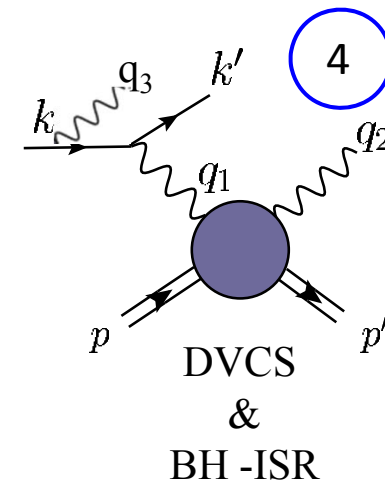


the energy spectrum of the emitted BH photon in process 4 for two different EIC beam energy combinations.

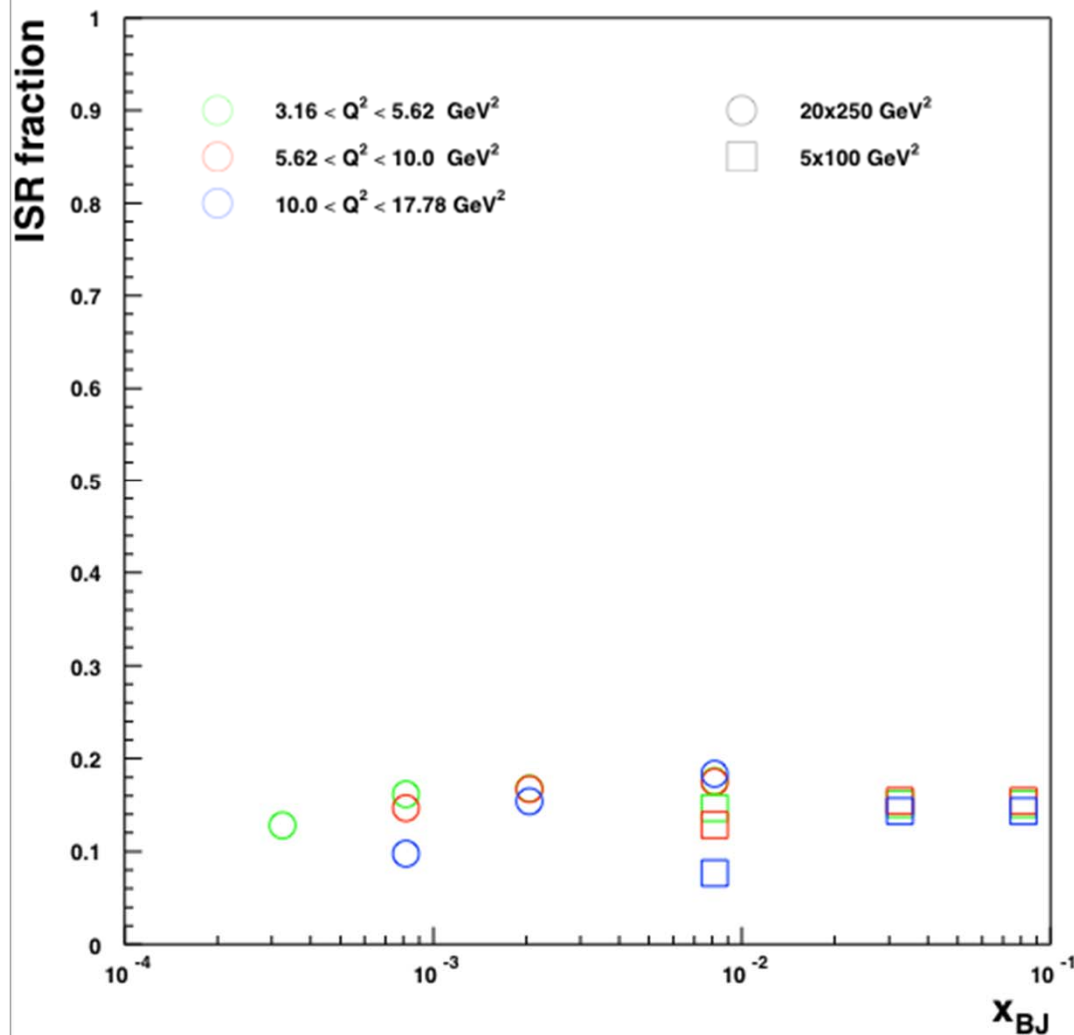
the right plots show the same photon spectra but requiring

$$E_\gamma = 0.02 * E_e$$

Photons with $E_\gamma < 0.02 E_e$ do not result in a significant correction for the event kinematics.



Contribution from ISR



Fraction of process 4 (ISR events) for 3 Q^2 -bins as fct of x for 2 EIC beam energy combinations.

Only ISR with $E_\gamma = 0.02 E_e$

ONLY 15% of the events emit a photon with $> 2\%$ energy of the incoming electron

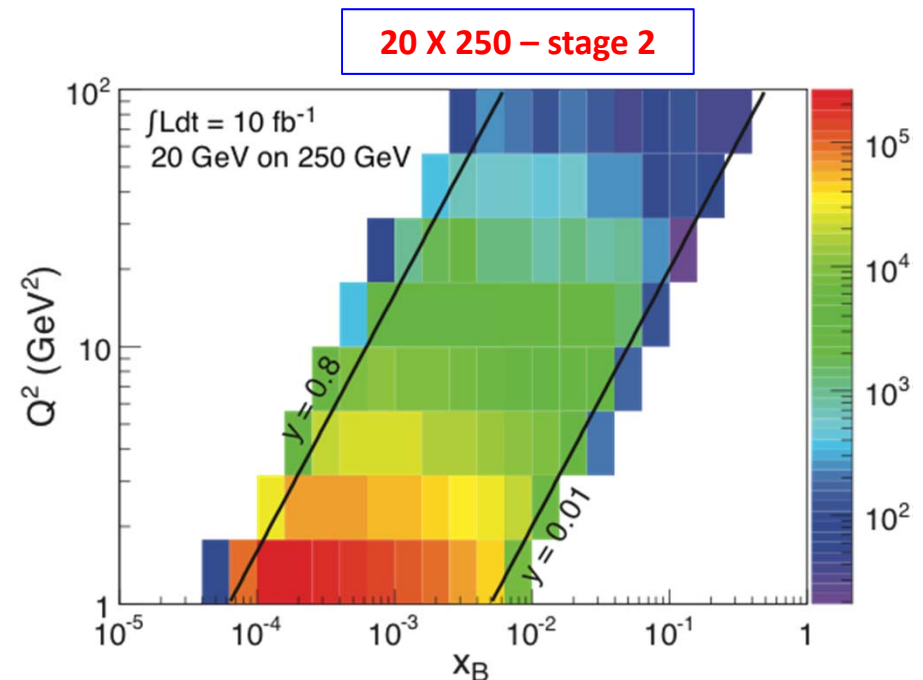
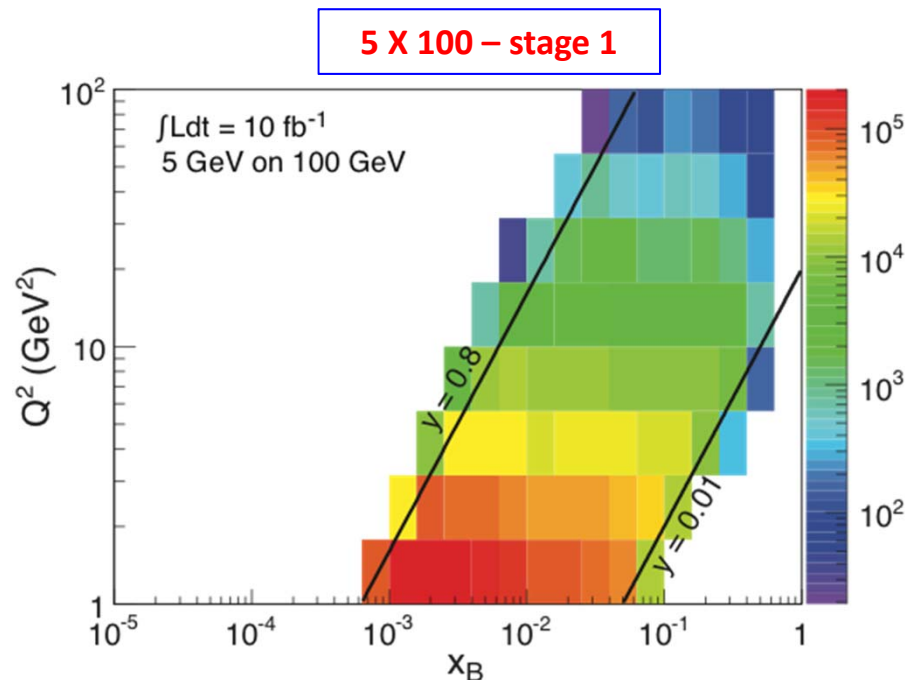
BH – what we did and will do

- ✓ We applied BH rejection cuts as done at HERA. These cuts will be optimized as soon as the EIC detector is designed.
- ✓ We have assigned a 5% systematic uncertainty, and that accounts also for the uncertainties in subtracting BH from DVCS via a MC method.
- ✓ Three of our theorist colleagues ([H. Spiesberger](#), [M. Stratmann](#) and [M. Hentschinski](#)) currently working on the calculation of NLO BH, meaning to radiate a 2nd photon from the electron line, which was estimated by M. Vanderhagen et al. to be a few %.

The white paper luminosity

EIC lumi:
 $\sim 10 \text{ fb}^{-1}$ [1 year @ 5x100]
 $\sim 100 \text{ fb}^{-1}$ [1 year @ 20x250]

- ✧ EIC will provide sufficient lumi to bin in multi-dimensions
- ✧ **wide x and Q^2 range needed to extract GPDs**



... we can do a fine binning in Q^2 and W ... and even in $|t|$

Data simulation & selection

Acceptance criteria

- for Roman pots: $0.03 < |t| < 0.88 \text{ GeV}^2$
- for $|t| > 1 \text{ GeV}^2$ detect recoil proton in main detector
- $0.01 < y < 0.85 \text{ GeV}^2$
- $\eta < 5$

➤ BH rejection criteria (applied to x-sec. measurements)

- $y < 0.6$
- $(\theta_{e1} - \theta_\gamma) > 0$
- $E_{e1} > 1 \text{ GeV}^2$; $E_{e2} > 1 \text{ GeV}^2$

➤ Events smeared for expected resolution in t , Q^2 , x

➤ Systematic uncertainty assumed to be ~5% (having in mind experience from HERA)

- Overall systematic uncertainty from luminosity measurement not taken into account
- Stage 1: $5 \times 100 \text{ GeV} \rightarrow \sim 10 \text{ fb}^{-1}$ (~ 10 months)
- Stage 2: $20 \times 250 \text{ GeV} \rightarrow \sim 100 \text{ fb}^{-1}$ (~ 1 year)

The code MILOU by E. Perez, L. Schoeffel, L. Favart [arXiv:hep-ph/0411389v1] is Based on a GPDs convolution by: A. Freund and M. McDermott [<http://durpdg.dur.ac.uk/hepdata/dvcs.html>]

$0.01 < |t| < 0.85 \text{ GeV}^2$

(Low- $|t|$ sample)

- Very high statistics
- Systematics will dominate!
- Within Roman pots acceptance

$1.0 < |t| < 1.5 \text{ GeV}^2$

(Large- $|t|$ sample)

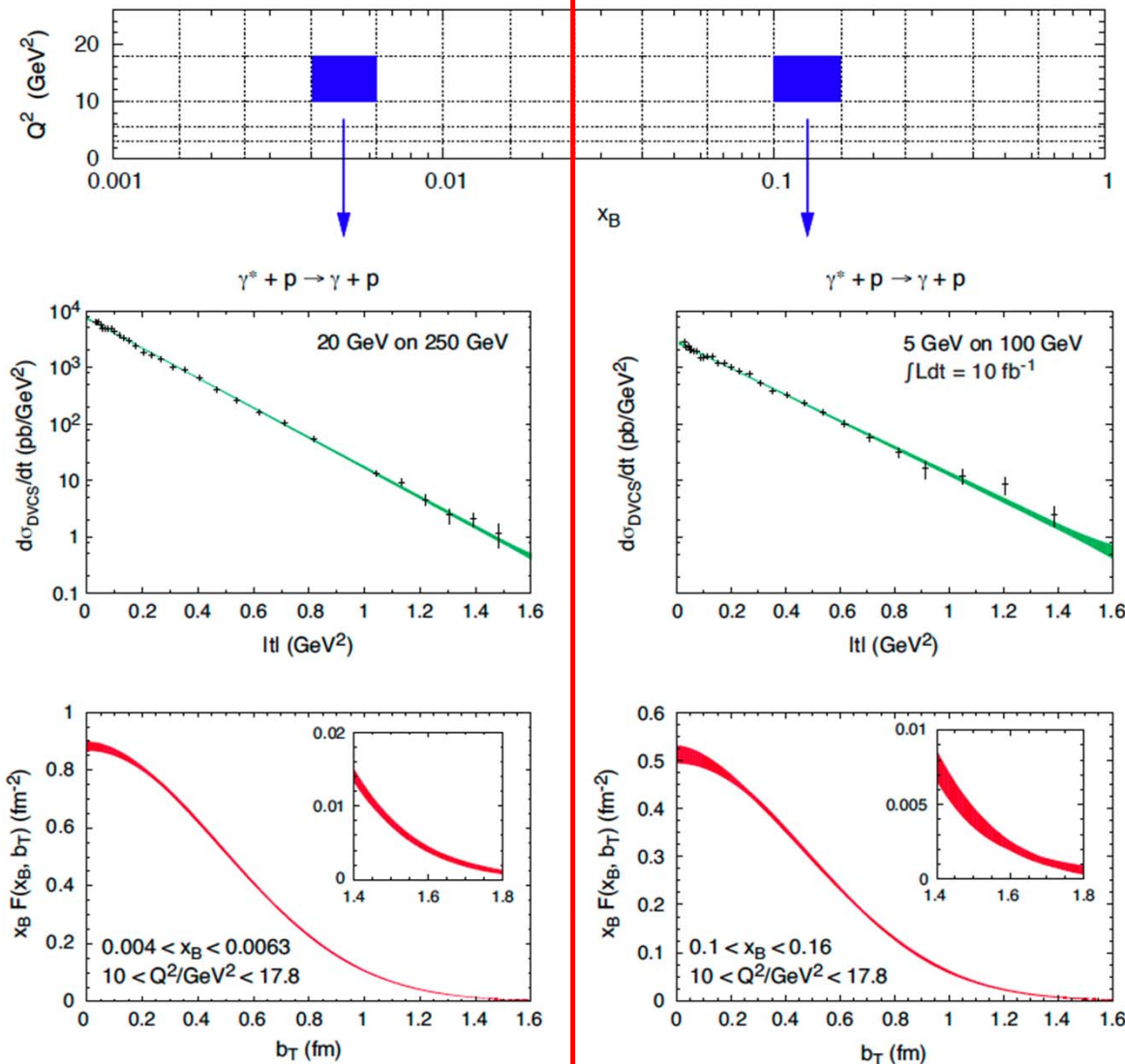
- Xsec goes down exponentially
- requires much longer data taking

From the EIC white paper

~ 1 year of data taking

Simulation:

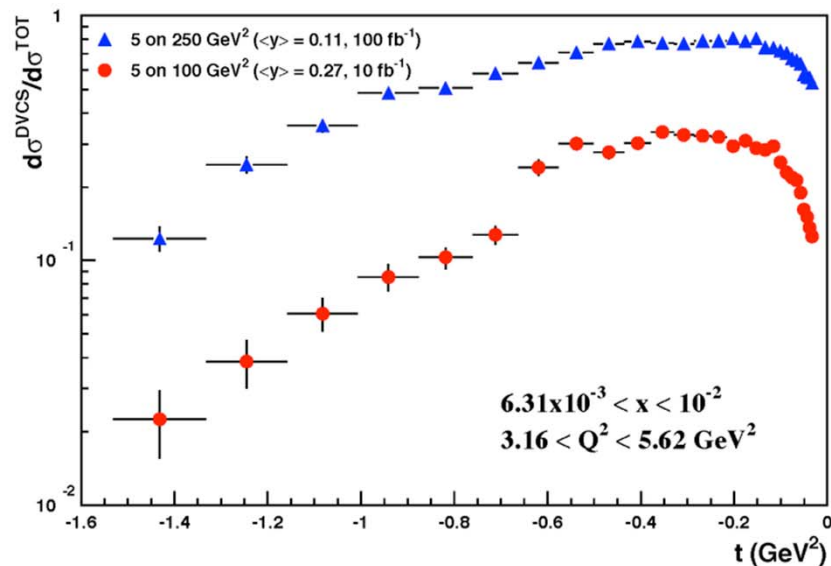
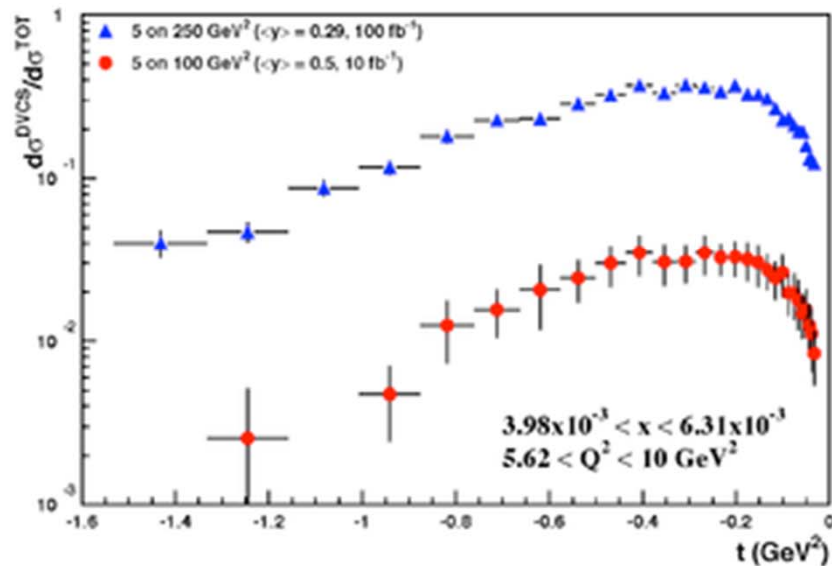
- $y > 0.01$ (detector acceptance)
- Detector smearing
- The $|t|$ -binning is $(3 \times \text{reso})$
- Exponential $|t|$ -dependence $\exp(B \cdot |t|)$
- B-slope=5.6 compatible with H1 data, to facilitate Dieter's global fitting
- 5% systematic uncertainties



Rosenbluth separation

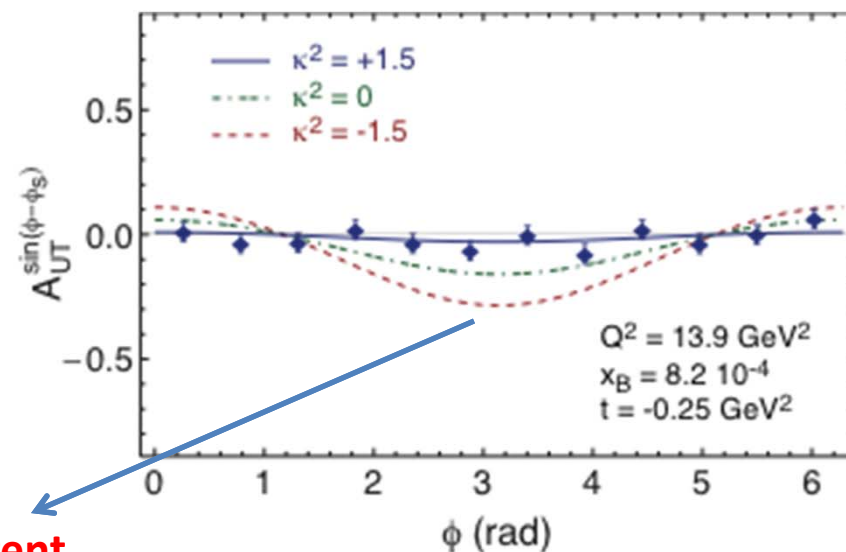
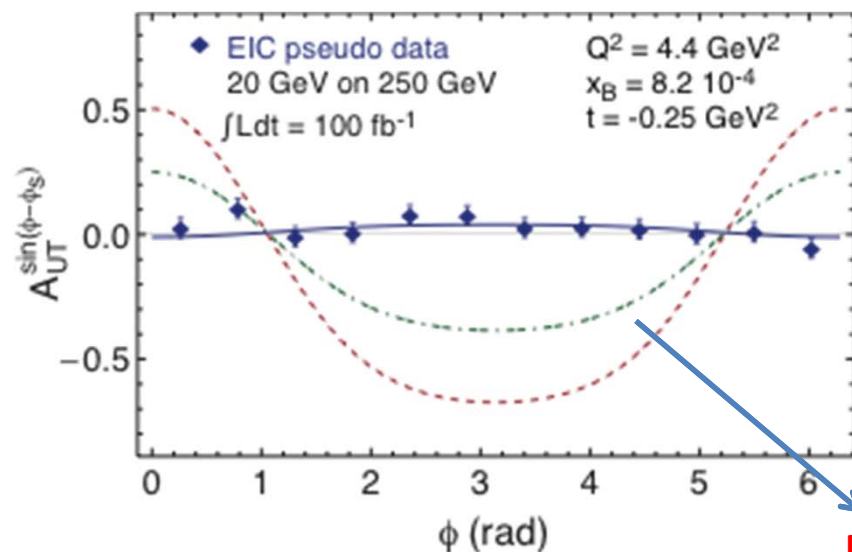
$$\frac{d\sigma}{dx dy d|t| d\phi d\varphi} = \frac{\alpha^3 x_B y}{16|e^3| \pi^2 Q^2 \sqrt{1+\varepsilon^2}} |\mathcal{A}_{DVCS} + \mathcal{A}_{BH} + \mathcal{A}_{INT}|$$

To access GPD H, we need a Rosenbluth separation of the electroproduction cross section into its parts



- The statistical uncertainties include all the selection criteria to suppress the BH
- exponential $|t|$ -dependence assumed

Transverse target-spin asymmetry



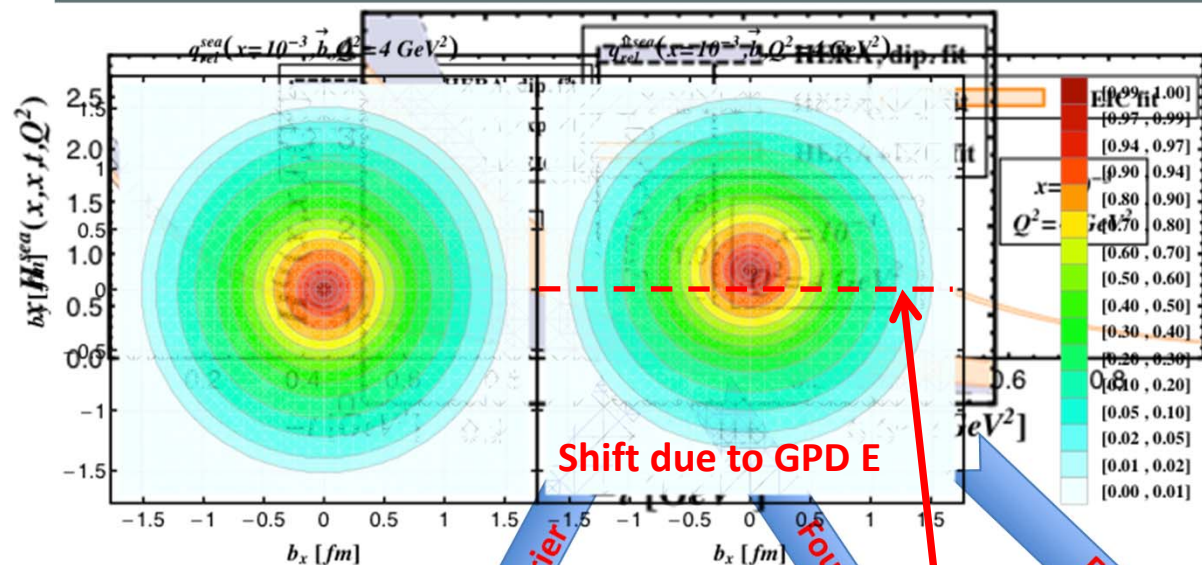
Different assumptions for E

$$A_{UT} \propto \sqrt{\frac{-t}{4M^2}} \left[F_2(t) H(\xi, \xi, t, Q^2) - F_1(t) E(\xi, \xi, t, Q^2) + \dots \right]$$

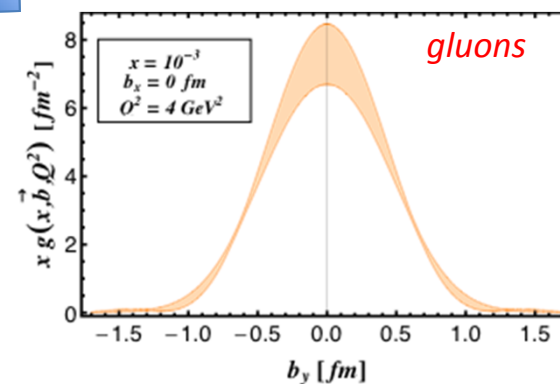
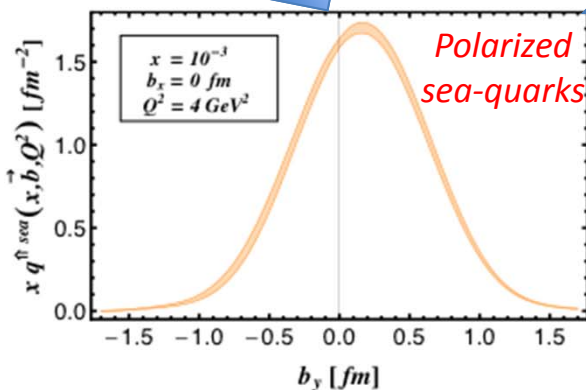
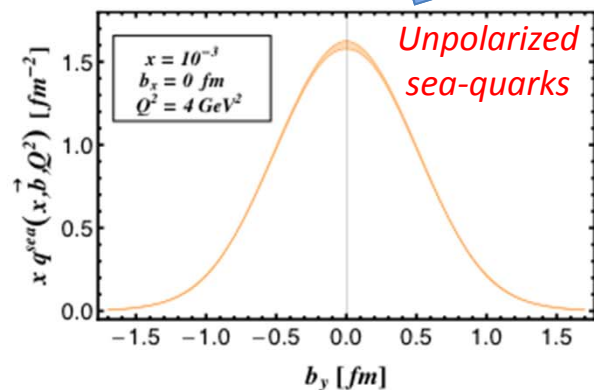
$\sin(\Phi_T - \phi_N)$
 governed by **E** and **H**

Gives access to GPD E

Imaging



$$q(x, \vec{b}, \mu^2) = \frac{1}{4\pi} \int_0^\infty dt |J_0(b\sqrt{t})| H(x, \eta=0, t, \mu^2)$$



- A global fit over all mock data was done, based on the GPDs-based model: [K. Kumerički, D Müller, K. Passek-Kumerički 2007]
- Known values $q(x)$, $g(x)$ are assumed for H^q , H^g (at $t=0$ forward limits E^q , E^g are unknown)

Impact of eRHIC:

- ✓ Excellent reconstruction of H^{sea} , and H^g (from $d\sigma/dt$)
- ✓ Reconstruction of GPD E (connection to the orbital momentum g-sum rule)

Paper on DVCS at EIC



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Deeply virtual Compton scattering at a proposed high-luminosity Electron-Ion Collider

E.C. Aschenauer,^a S. Fazio,^a K. Kumericki^b and D. Müller^{a,c}

^aPhysics Department, Brookhaven National Lab,
Upton, NY 11973, U.S.A.

^bDepartment of Physics, University of Zagreb,
Bijenička c. 32, 10002 Zagreb, Croatia

^cInstitut für Theoretische Physik II, Ruhr-University Bochum,
D-44780 Bochum, Germany

E-mail: elke@bnl.gov, sfazio@bnl.gov, kkumer@phy.hr,
Dieter.Mueller@tp2.ruhr-uni-bochum.de

ABSTRACT: Several observables for the deeply virtual Compton scattering process have been simulated in the kinematic regime of a proposed Electron-Ion Collider to explore the possible impact of such measurements for the phenomenological access of generalized parton distributions. In particular, emphasis is given to the transverse distribution of sea quarks and gluons and how such measurements can provide information on the angular momentum sum rule. The exact lepton energy loss dependence for the unpolarized t -differential electroproduction cross section, needed for a Rosenbluth separation, is also reported.

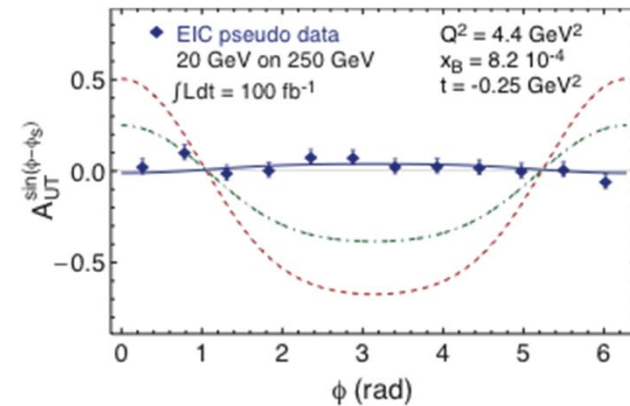
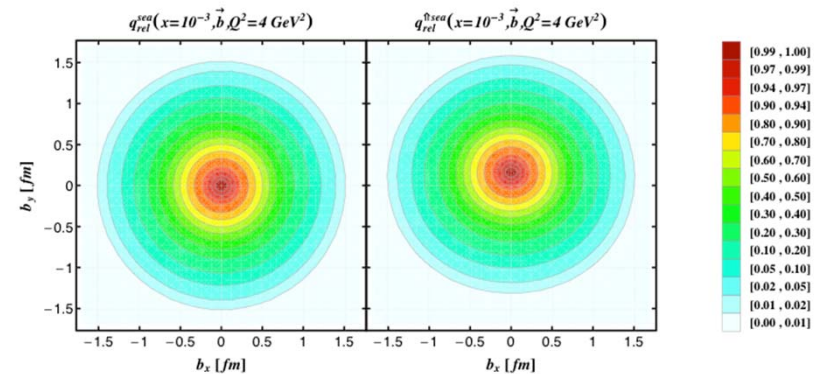
KEYWORDS: QCD Phenomenology, Deep Inelastic Scattering (Phenomenology)

ARXIV EPRINT: [1304.0077](https://arxiv.org/abs/1304.0077)

For all details and more recently published paper

E.C. Aschenauer, S. Fazio, K. Kumericki, and D. Müller

JHEP09(2013)093 [arXiv:1304.0077]



JHEP09(2013)093

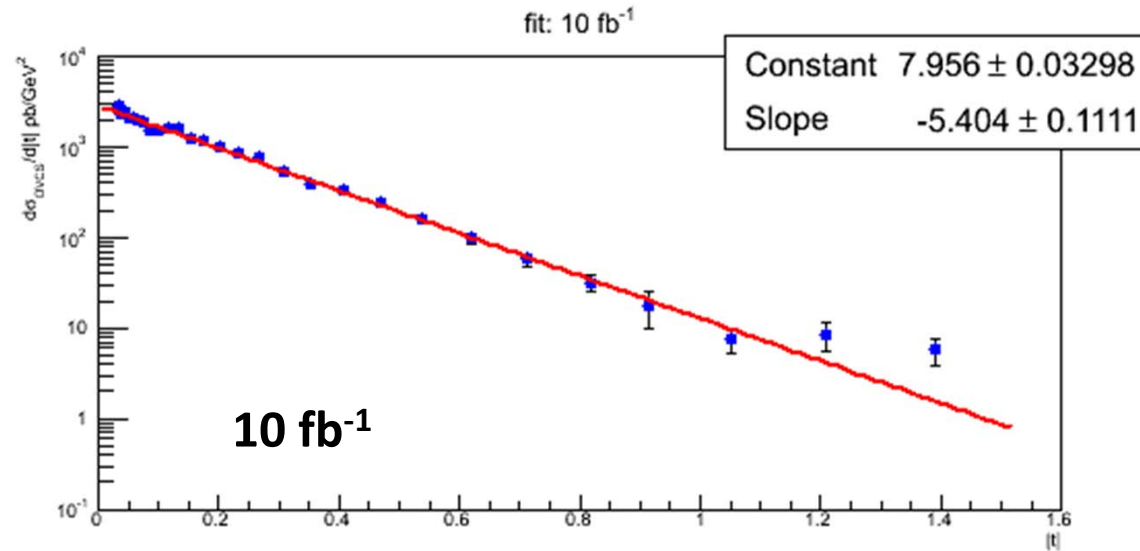
what can we do if 1 fb^{-1} ?

Different scenarios can lead to lower luminosity machines. How luminosity hungry is the DVCS measurement for a precise constraining of the GPDs?

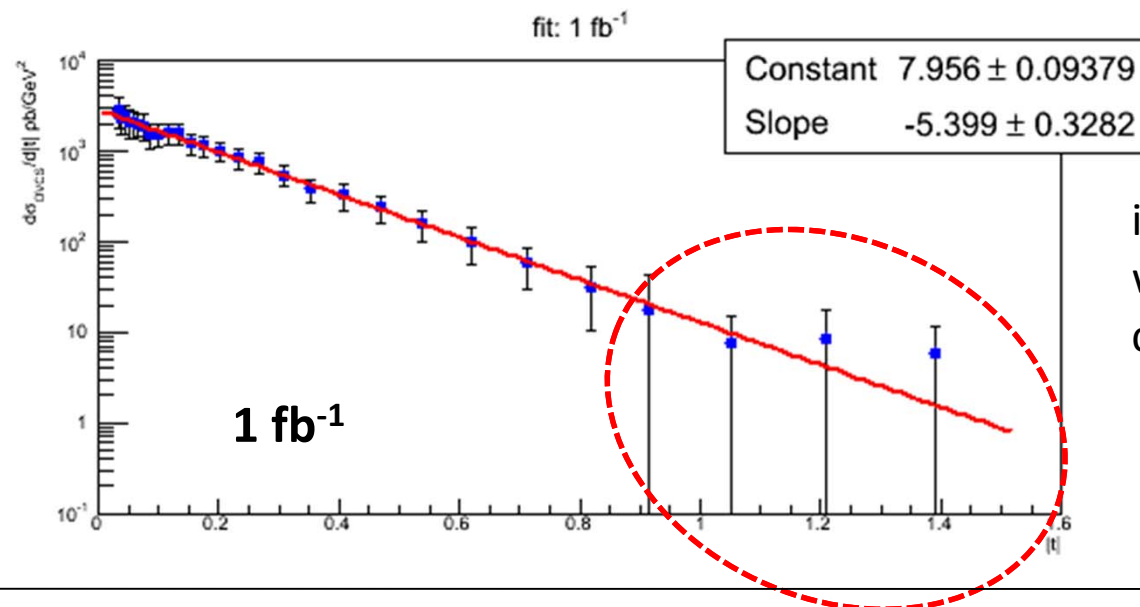
Can we do already some imaging with an integrated lumi of 1 fb^{-1} ?

- 5% systematic uncertainty and added in quadrature to the statistical uncertainty
- Exponential fit: $A \cdot \exp(B \cdot t)$ gives the values and errors of the normalization A and the slope B plus the correlation coefficient c
- The fitted values (A, dA, B, dB, c) are used to compute errors using method of eigenvector distributions and then the error bands for the cross section and the partonic distribution using the Fourier Bessel function integral (Markus Diehl's code used for the white paper). This code, in calculating the error bars, considers the $|t|$ range achievable experimentally and extrapolates beyond

We want to study the impact of having only a low energy – low luminosity eRHIC at hand

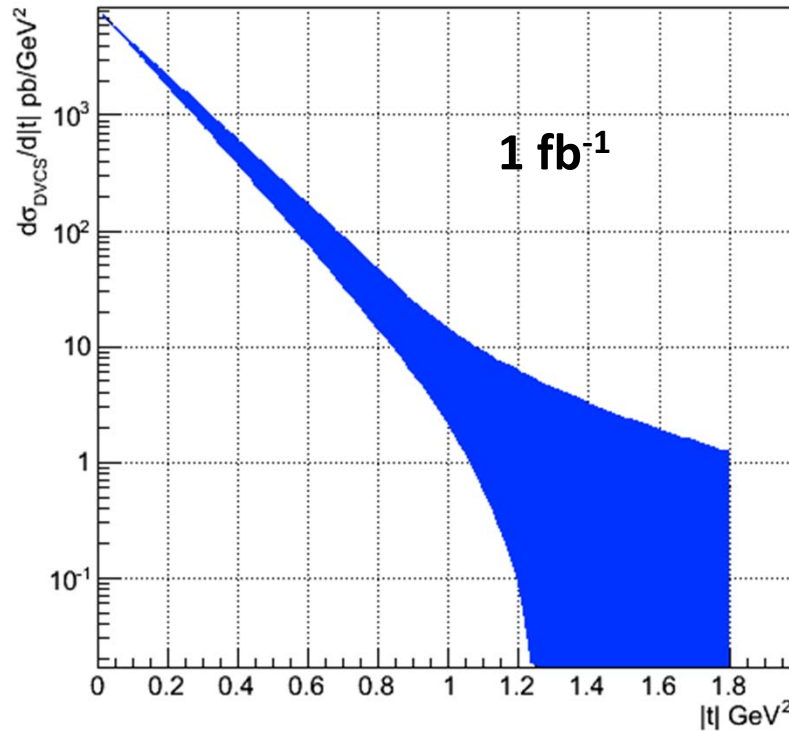


Beam energy: $5 \times 100 \text{ GeV}^2$
 $10 < Q^2 < 17.78 \text{ GeV}^2$
 $0.1 < x < 0.158$

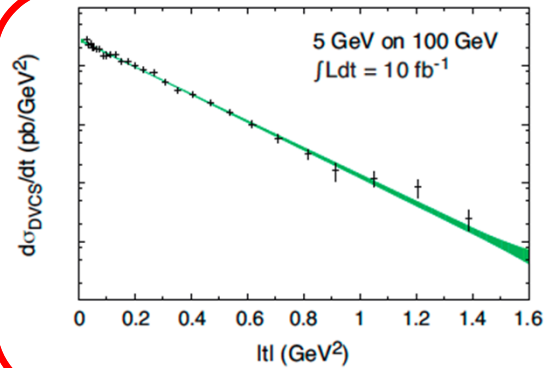
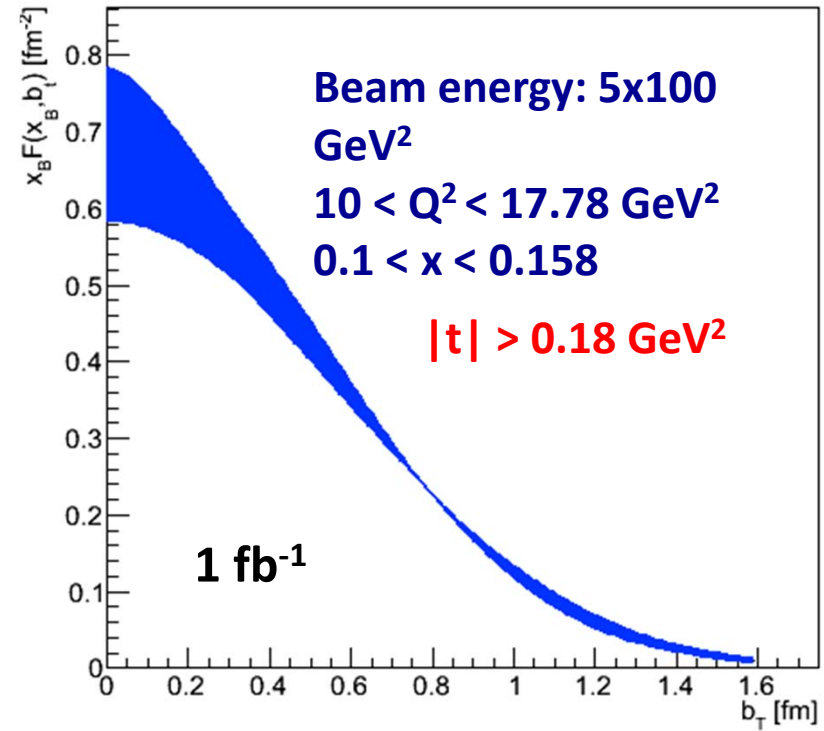


if we collect one order less lumi:
 with 1 fb^{-1} only the $|t| < 0.85 \text{ GeV}^2$
 can be measured

DVCS - differential cross section

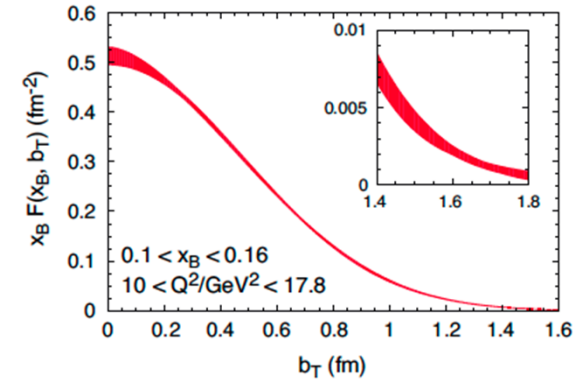


DVCS - parton distribution



**TO BE COMPARED WITH
(white paper)**

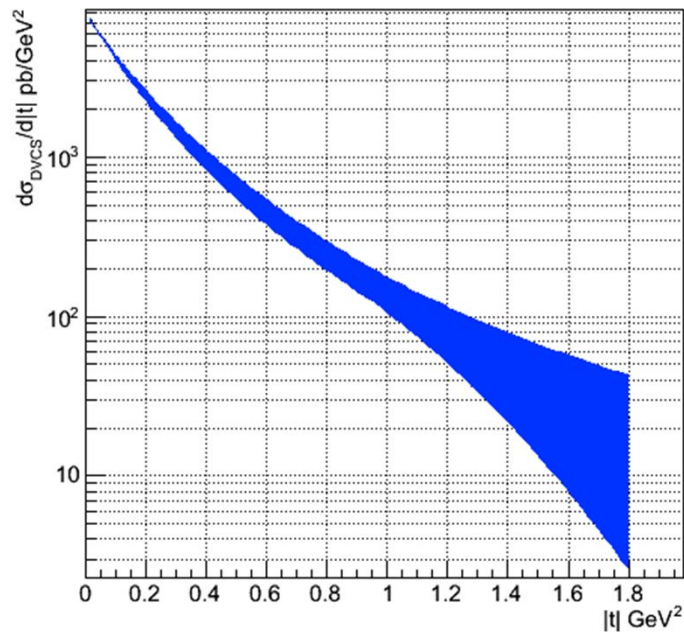
~ 1 y of data taking



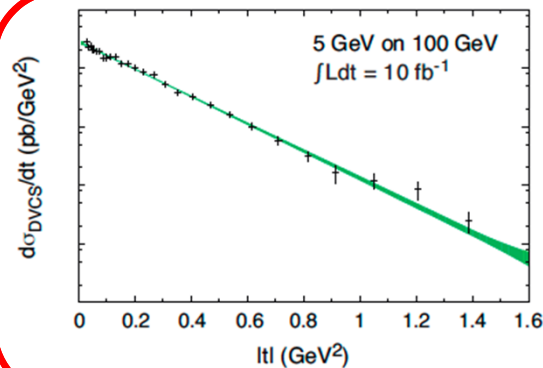
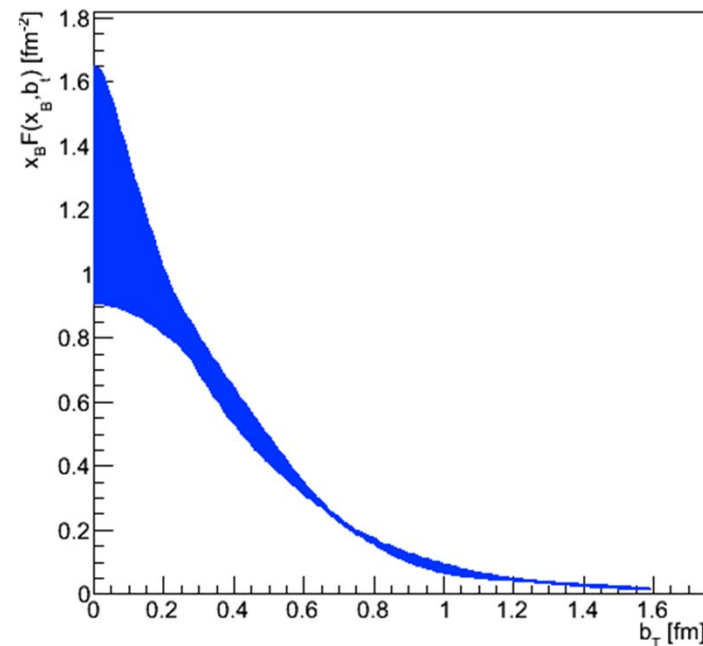
The same exercise as in the previous slide but this time assuming a dipole dependence instead of an exponential one.

$$func. = \frac{A}{(1 + B \cdot |t|)^2}$$

DVCS - differential cross section

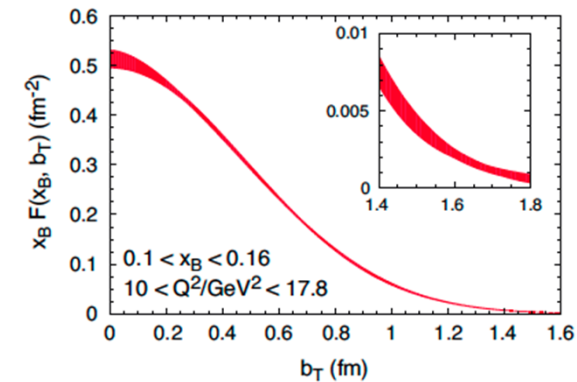


DVCS - parton distribution

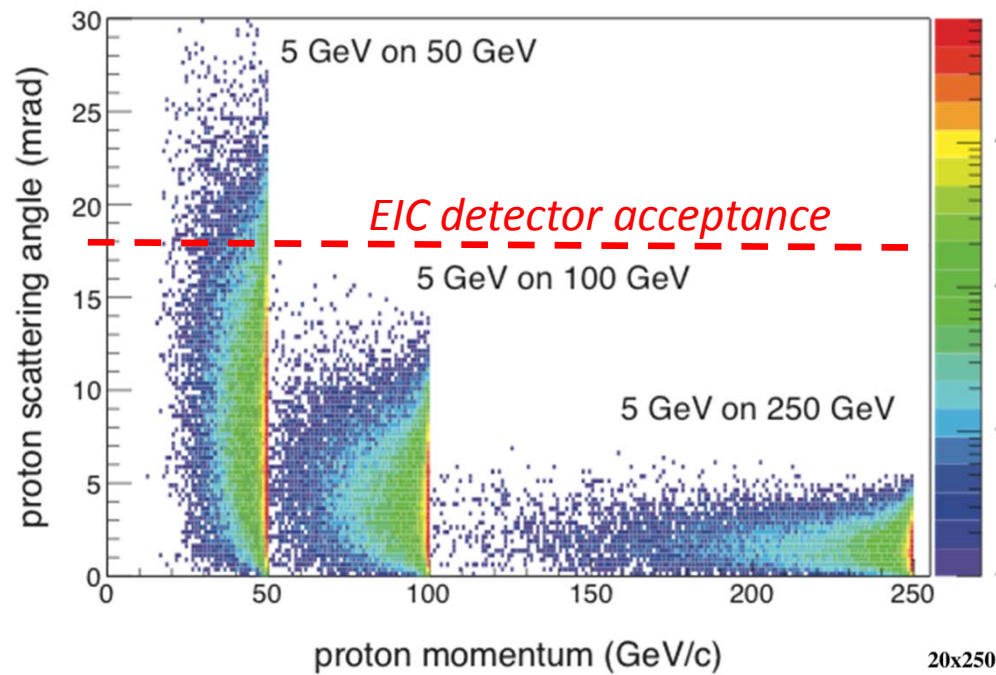


**TO BE COMPARED WITH
(white paper)**

~ 1 y of data taking



Proton acceptance

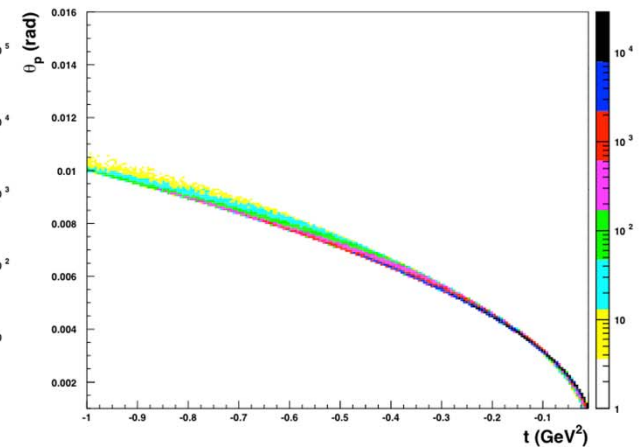
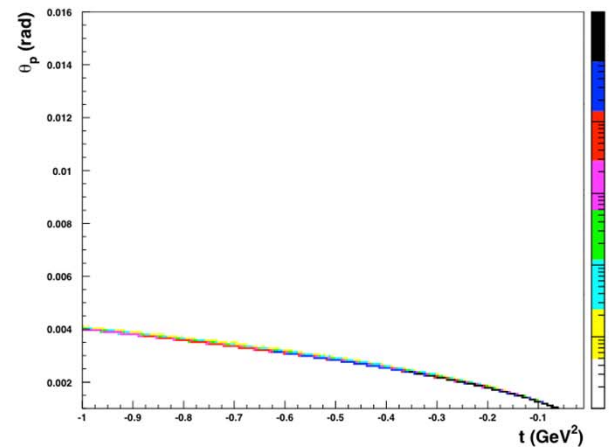


Main
detector

Roman
Pots

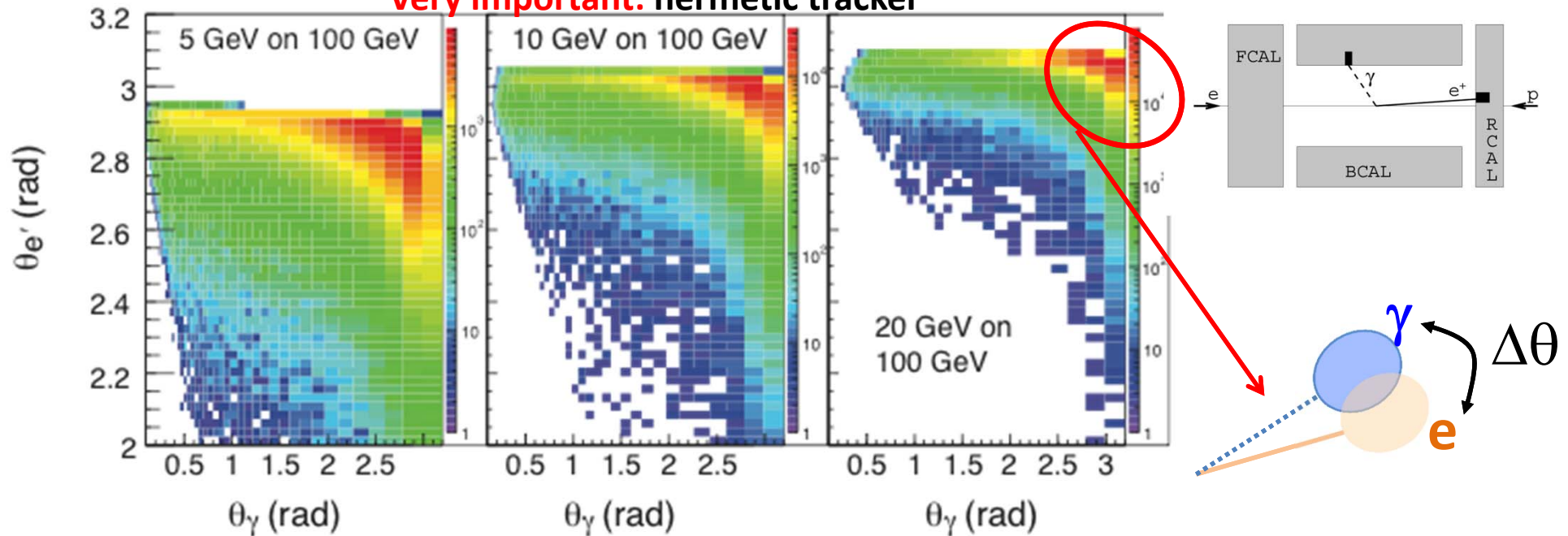
leading protons are never
in the main detector
acceptance at
EIC (stage 1 and stage 2)

NB: need to measure
leading protons in RP in
the whole $|t|$ -range



DVCS – clusters discrimination

Very important: hermetic tracker



N.B. - Need for a emCAL with a very fine granularity, to distinguish clusters down to $\Delta\theta=1$ deg



This is also important for $\Delta\phi$ calculation in asymmetries measurement and for BH rejection in the xsec measurement

N.B. – when electron lies at a very small angle its track can be missing



A pre-shower calorimeter needed to control background from $\pi^0 \rightarrow \gamma\gamma$

Summary of detector requirements

What are the basic requirements for a suitable detector?

Important for exclusive DIS:

- Hermetic Central Tracking Detector
- Electromagnetic calorimeter with good energy resolution and fine granularity
 - Measure low energy clusters down to ~ 900 MeV
 - Rear Encap $\rightarrow$ capable of discriminating clusters down to $\Delta\theta = 1\text{deg}$
- Preshower em cal $\rightarrow \pi^0$ background
- Forward hadronic calorimeter $\rightarrow$ rapidity gap and p.dis. background
- Roman pots (and with excellent acceptance, $\sim 5\%$ momentum resolution)

Outlook: we need a full detector simulation to better evaluate systematics and better constraining resolution requirements

An EIC detector CONCEPT

Extremely wide physics program puts **stringent requirements** on detector performance

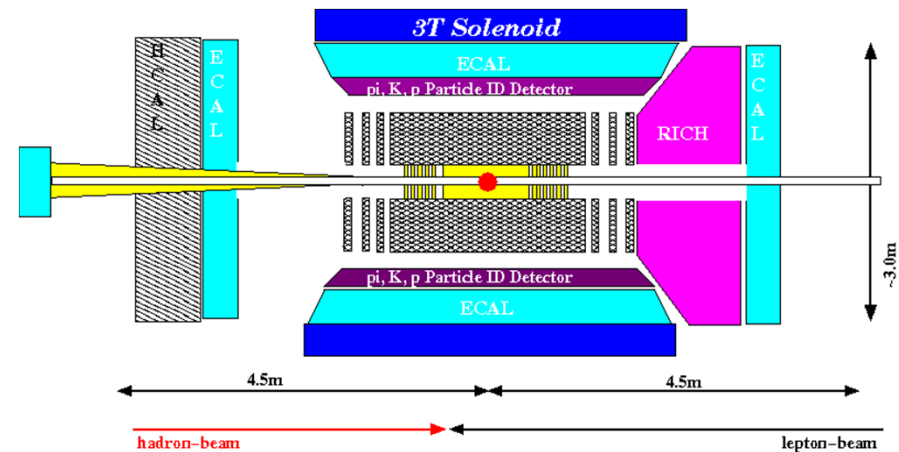
- ❑ high acceptance $-5 < \eta < 5$
- ❑ good PID (π, K, p and lepton) and vertex resolution
- ❑ same rapidity coverage for tracking and calorimeter
 - good momentum resolution, lepton PID
- ❑ low material density because of low scattered lepton p
 - minimal multiple scattering and bremsstrahlung
- ❑ very forward electron and proton/neutron detection
- ❑ Fully integrated in machine IR design

Full Geant4 Model based on Generic EIC R&D detector concepts

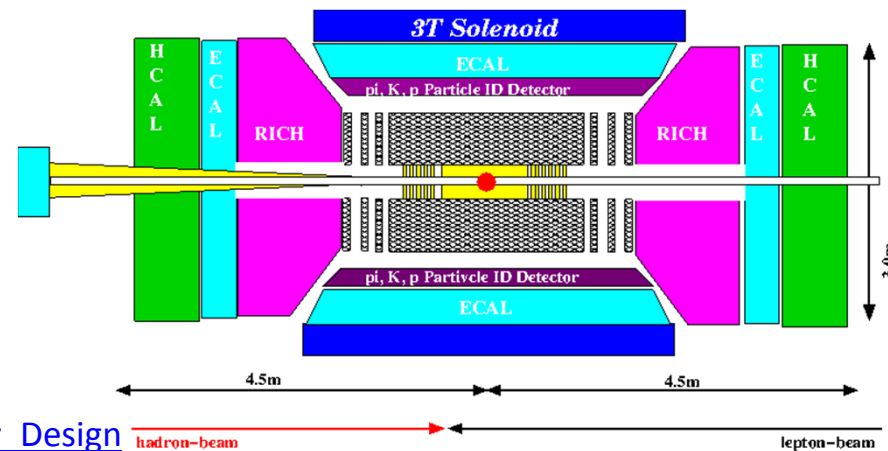
<https://wiki.bnl.gov/eic/index.php/DIS: What is important>

<https://wiki.bnl.gov/eic/index.php/ERHIC Dedicated Detector Design>

Phase-I (5 – 10 GeV):



Phase-II (>10 GeV):



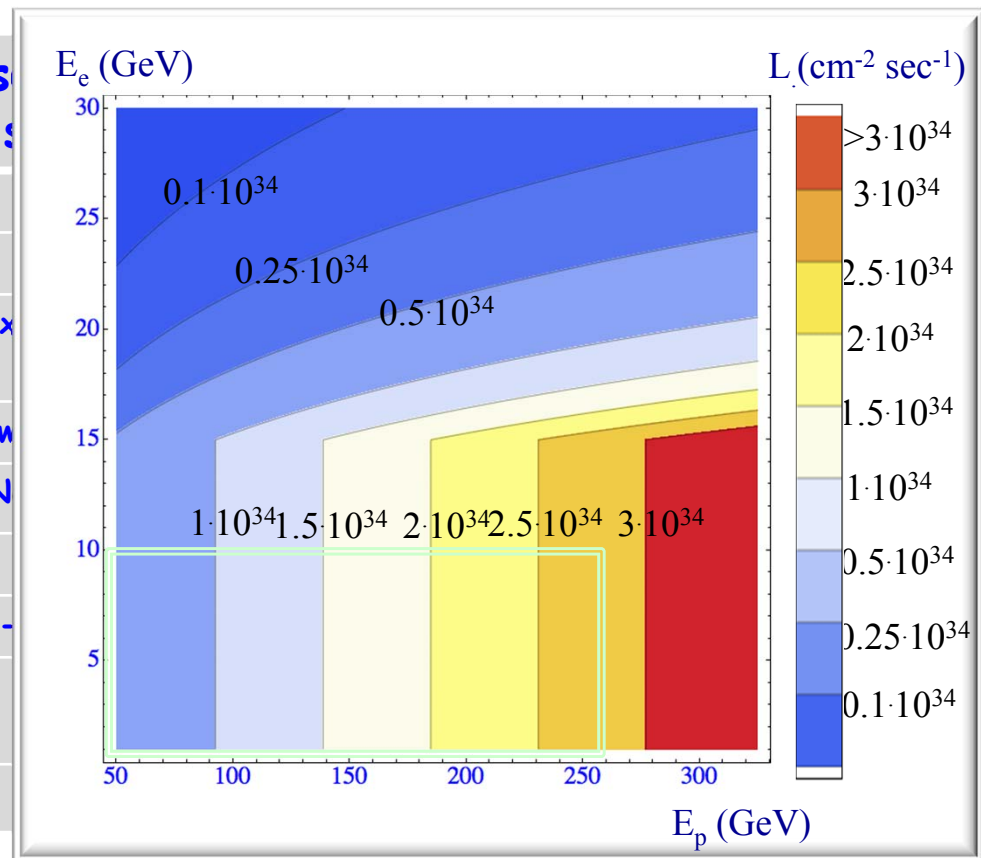
Summary

- **Simulation shows how an EIC can much improve our knowledge of GPDs**
- **Subtraction of BH, important for x -sec measurement, has been studied in detail as well as ISR corrections to DVCS.**
- **With the large luminosity collected as in the white paper, a fine binning of x -sec and symmetries will be possible, uncertainties mostly dominated by systematics leading to an accurate 2+1D imaging of the polarized and unpolarized quarks and gluons inside the hadrons**
- **if we assume the collection of only 1 fb^{-1} , measurements at large- $|t|$ will be lost and the impact on the quality of the imaging will be drastically reduced, especially at lower impact parameter values**

Back up

eRHIC Design Parameters

Challenge	Increase the s
Polarized electron gun	
Coherent Electron Cooling	
Multi-pass SRF ERL	5 x 30
Crab crossing	New
Understanding beam-beam effects	N
$\beta^*=5$ cm	
Multi-pass SRF ERL	2-
Feedback for kink instability suppression	
Space charge effect compensation	



- ☐ Hourglass the pinch effects are included. Space charge effects are compensated.
- ☐ Energy of electrons can be selected at any desirable value at or below 30 GeV
- ☐ The luminosity does not depend on the electron beam energy below or at 20 GeV
- ☐ The luminosity falls as E_e^{-4} at energies above 20 GeV
- ☐ The luminosity is proportional to the hadron beam energy: $L \sim E_h/E_{\text{top}}$

MEIC Design Parameters

- [illegible]

MC simulation

Written by E. Perez, L Schoeffel, L. Favart [arXiv:hep-ph/0411389v1]

The code MILOU is Based on a GPDs convolution by:

A. Freund and M. McDermott [All ref.s in: <http://durpdg.dur.ac.uk/hepdata/dvcs.html>]

- ✓ GPDs, evolved at NLO by an independent code which provides tables of CFF
 - at LO, the CFFs are just a convolution of GPDs:

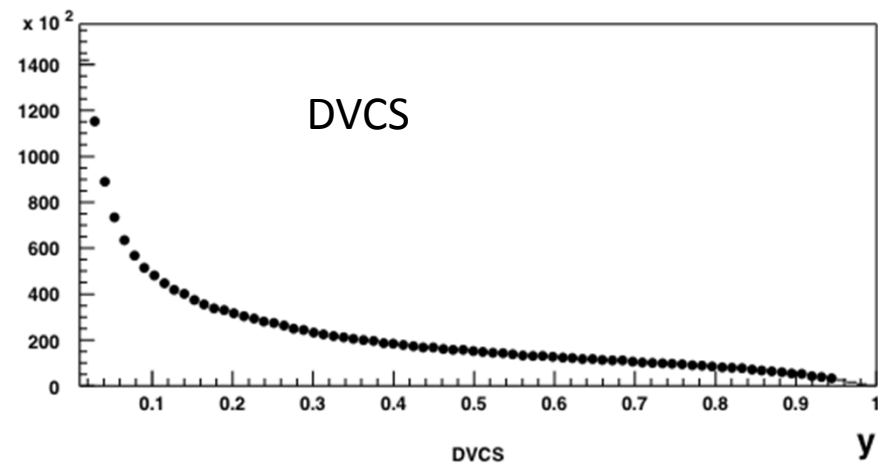
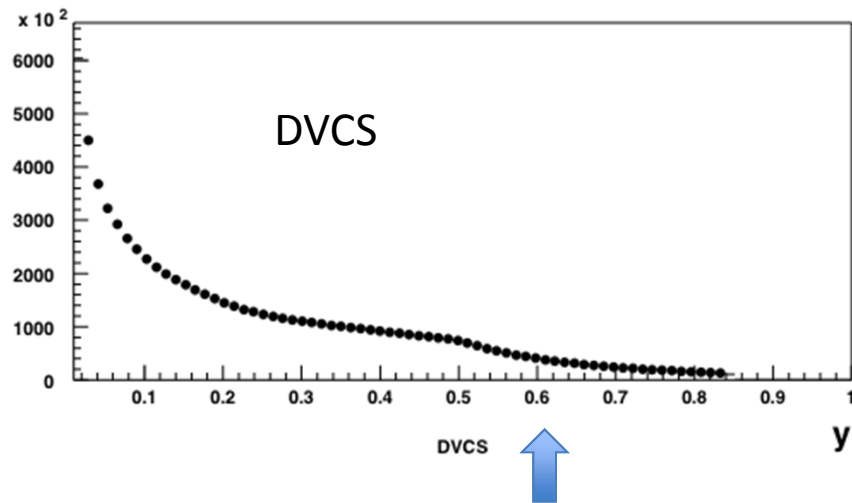
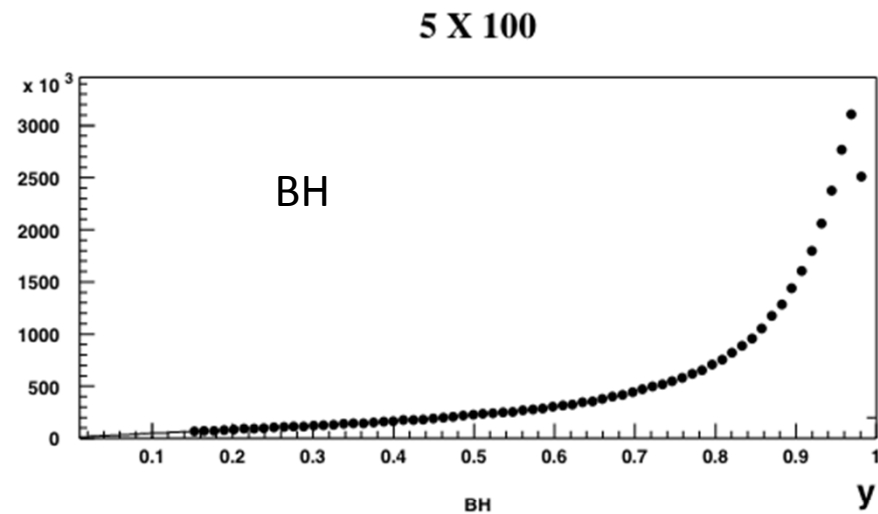
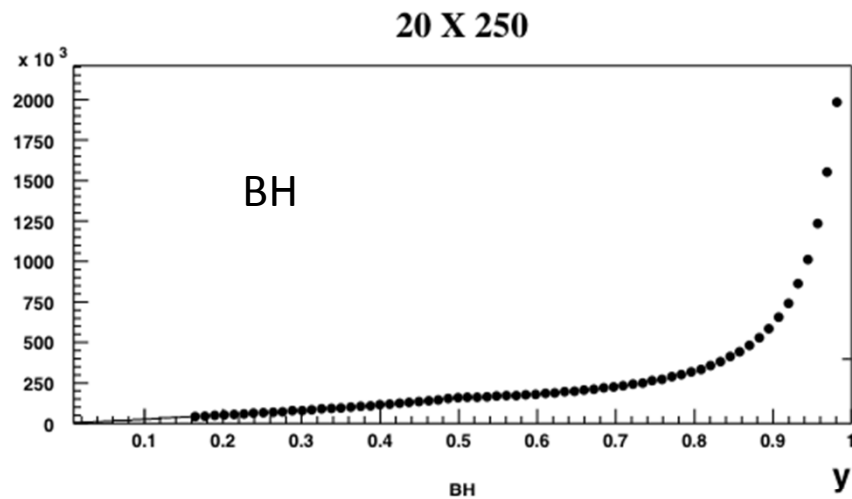
$$\mathcal{H}(\xi, Q^2, t) = \sum_{u,d,s} \int_{-1}^1 \left[\frac{e_i^2}{1 - x/\xi - i\epsilon} \pm \{\xi \rightarrow -\xi\} \right] H_i(x, \xi, Q^2, t) dx$$

- ✓ provide the real and imaginary parts of Compton form factors (CFFs), used to calculate cross sections for DVCS and DVCS-BH interference.

- ✓ $\frac{d\sigma}{d|t|} = \exp(B(Q^2)t)$ -> The B slope is allowed to be constant or to vary with Q^2

- ✓ Proton dissociation ($ep \rightarrow e\gamma Y$) can be included

- ✓ Other non-GPD based models are implemented like FFS, DD



- BH dominates at large y .
- DVCS drops with y

Uncertainties on BH calculations

- to calculate the BH cross section correction to a process one needs
 - the proton form factor
 - there are many papers on this ([arXiv:1209.0683](https://arxiv.org/abs/1209.0683))
 - the current systematic uncertainty is in the order of 3%
 - a precise parameterization of the total cross section
 - This is most likely the biggest uncertainty because DVCS cross section fraction of the total photon electro production cross section is not very well known
 - and iterative method should help to keep the uncertainties minimal

t-xsec (ep -> γp)

Selection criteria:

$$0.01 < y < 0.6$$

$$\theta_\gamma < 2 \times 10^{-2} \text{ rad}$$

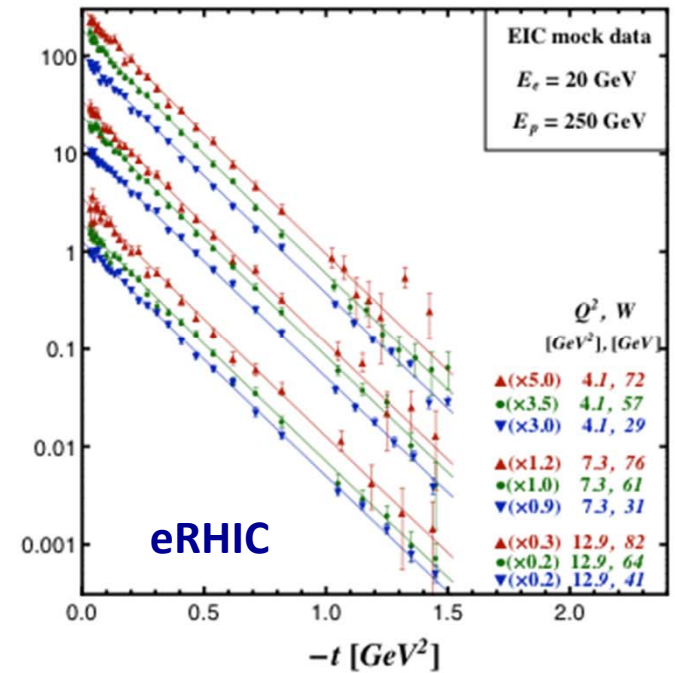
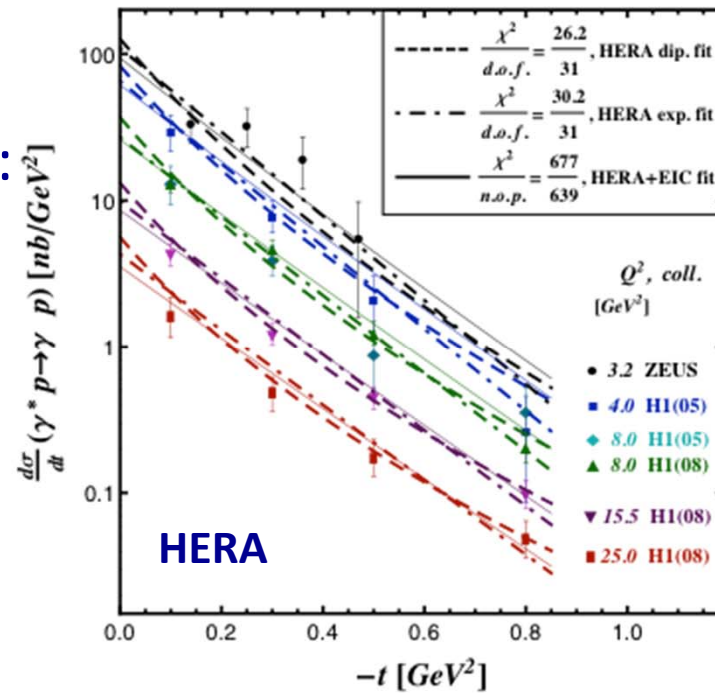
$$\theta_{el} < 2 \times 10^{-2} \text{ rad}$$

$$E_\gamma > 1 \text{ GeV}$$

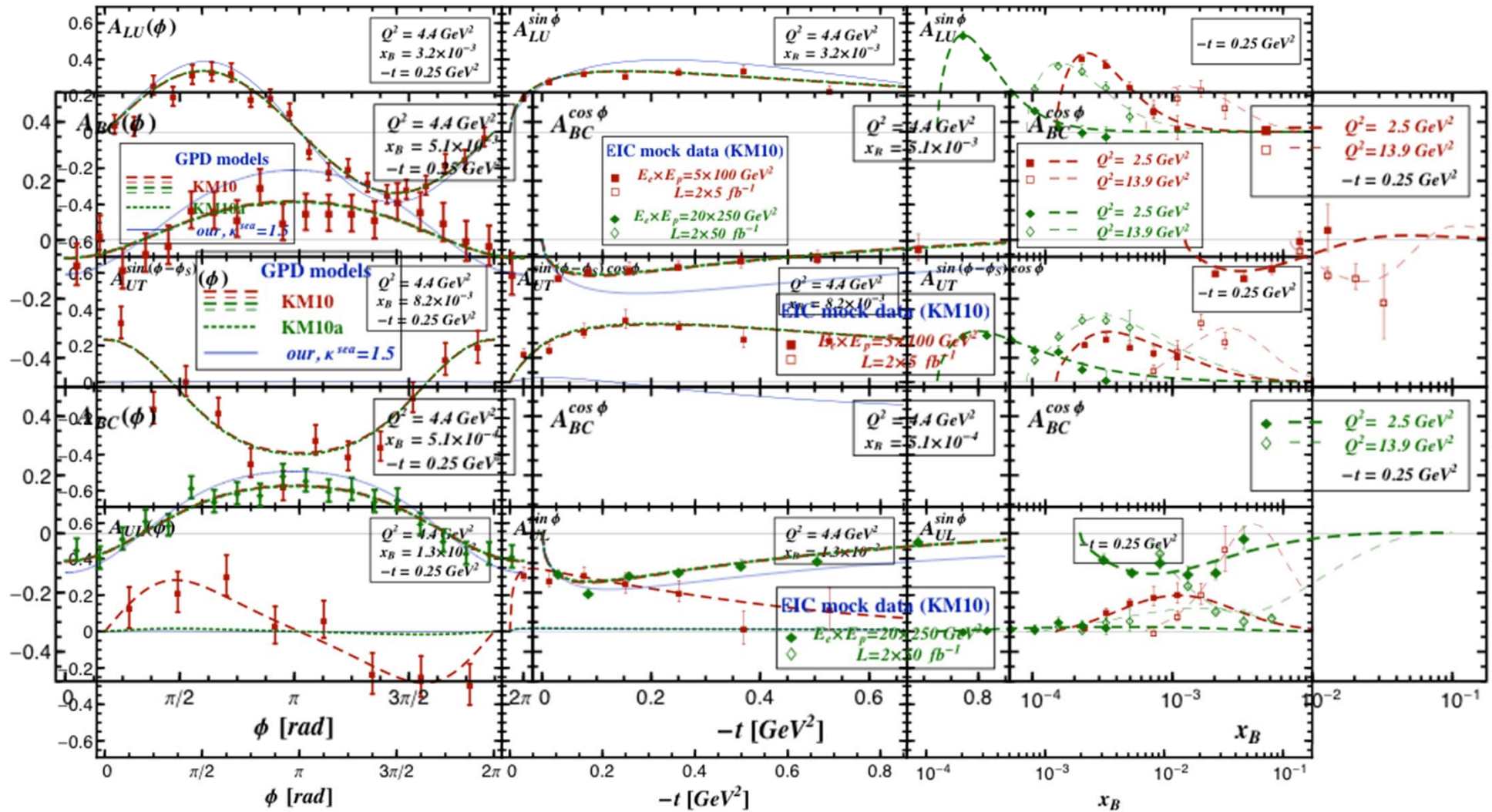
$$E_{el} > 1 \text{ GeV}$$

$$\sim e^{-bt} \quad b = 5.6 \text{ GeV}^{-2}$$

10 x-bins ; 5 Q²-bins

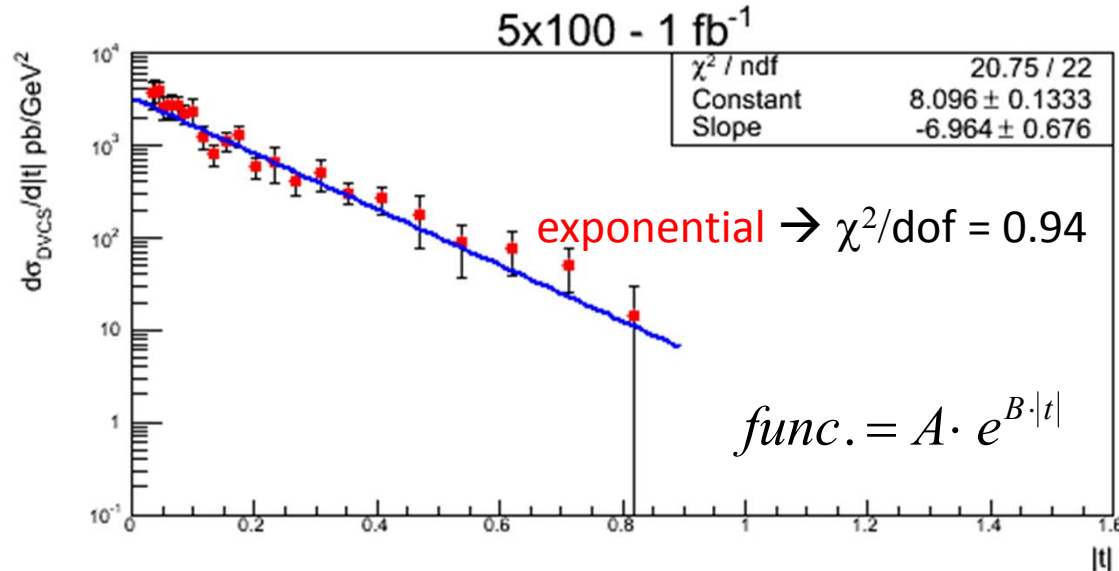


Asymmetries



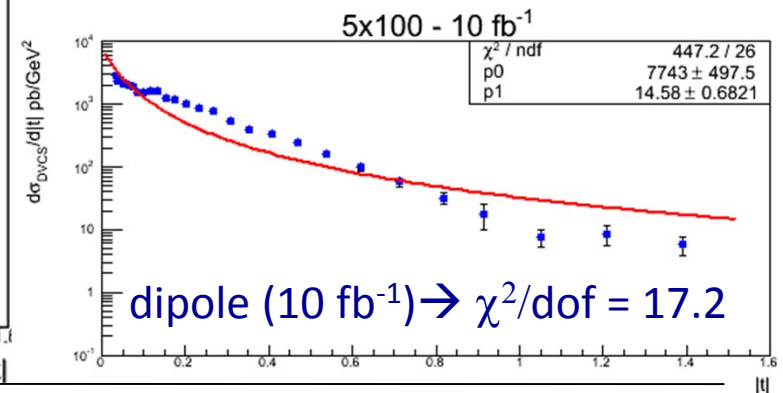
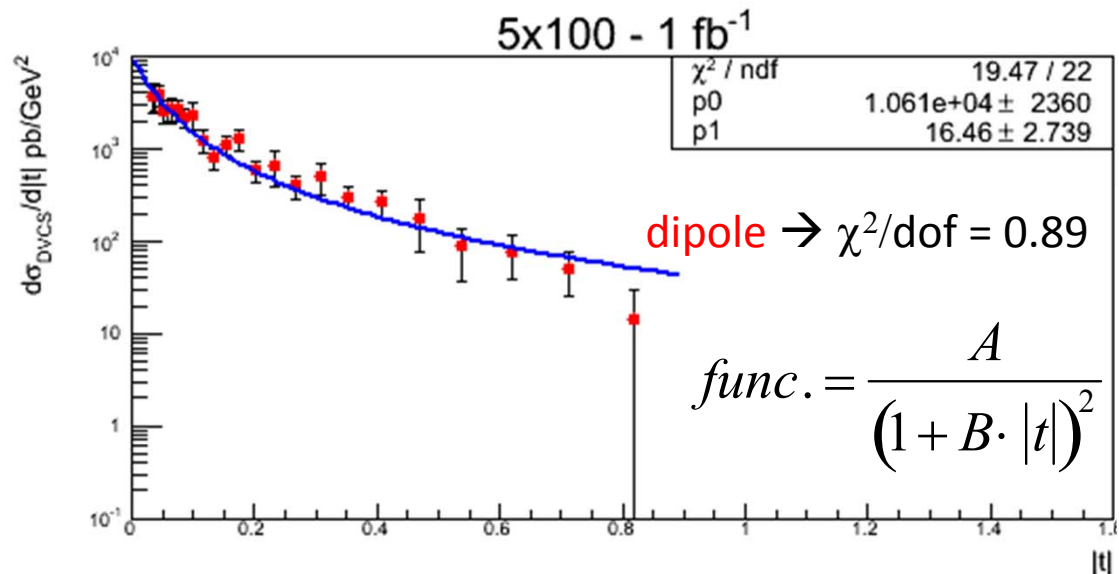
Plots from D. Mueller

What if $d\sigma/dt$ follows a dipole dependence rather than an exponential? Can we discriminate between the two with 1 fb^{-1} ?



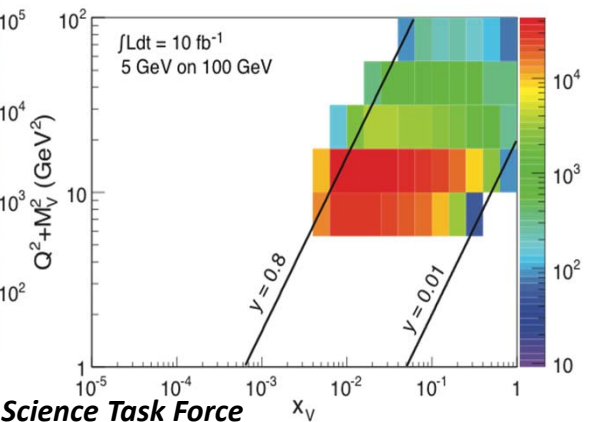
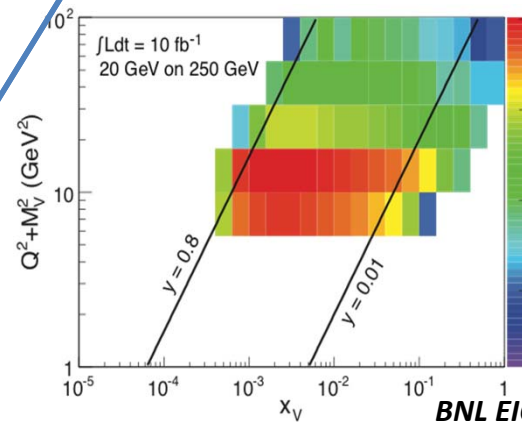
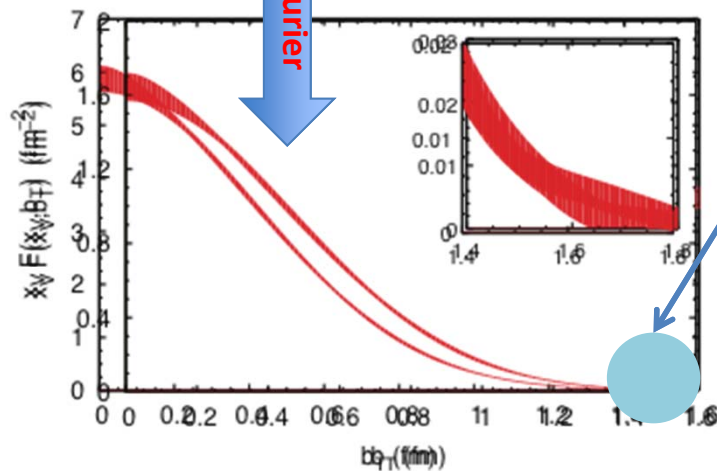
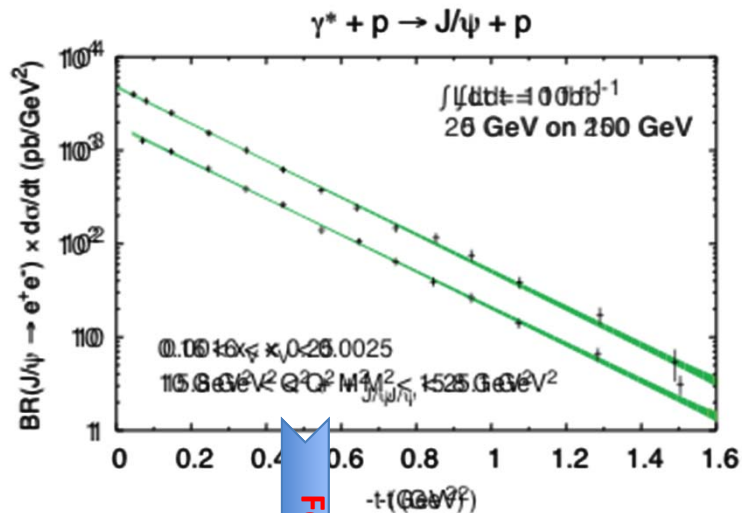
Lets try to fit a dipole parameterization and superimpose it to the data generated according to an exponential $A \cdot \exp(B \cdot |t|)$

Beam energy: $5x100 \text{ GeV}^2$
 $10 < Q^2 < 17.78 \text{ GeV}^2$
 $0.1 < x < 0.158$



J/ψ

$$\gamma^* p \rightarrow J/\psi p$$



BNL EIC Science Task Force

J/ψ

